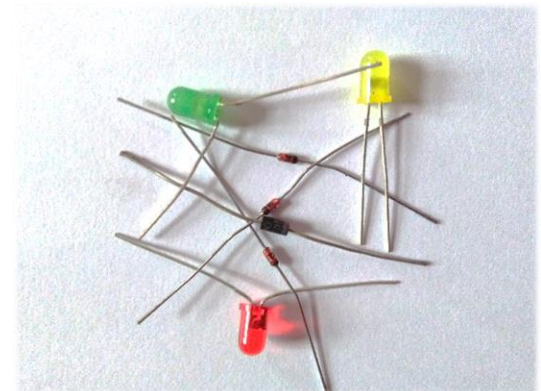




# ELECTRONIC DEVICES

Assist. prof. Laura-Nicoleta IVANCIU, Ph.D.

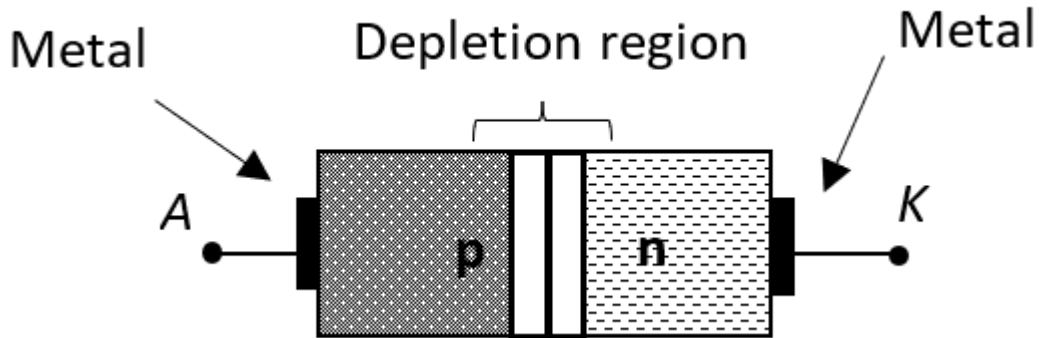
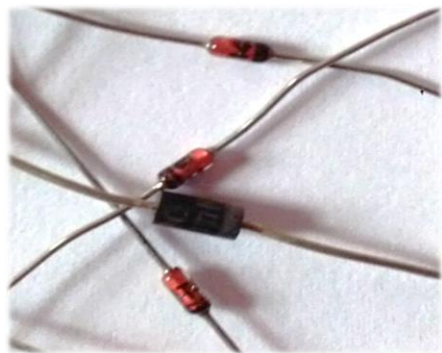
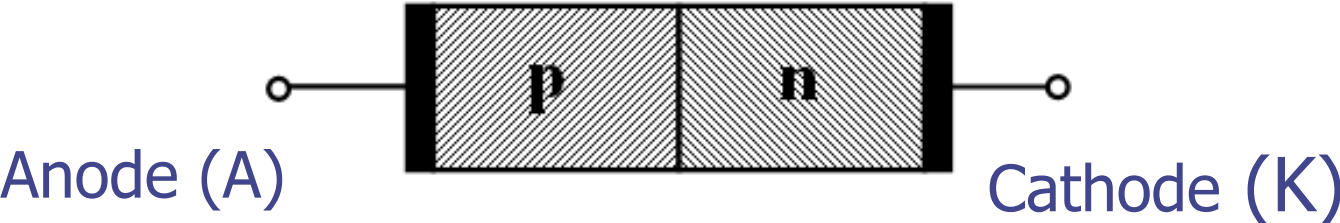
## C2 – Diodes. DR circuits.



# Contents

- Physical structure. Symbol.
- Current-voltage characteristic
- Operating regions
- Parameters of the diode
- Constant voltage drop model
- Analysis of two-port DR networks

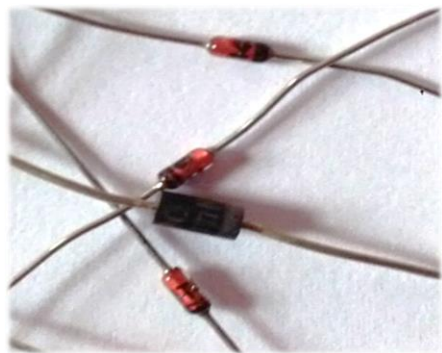
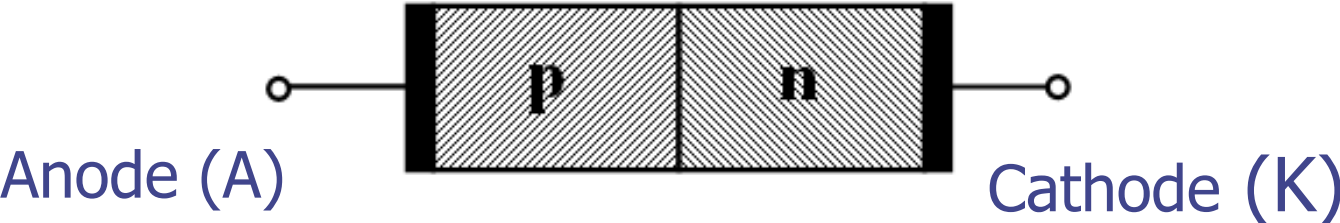
### Physical structure – *pn* junction



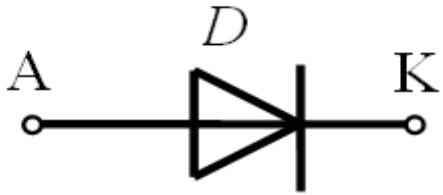
### More details about the physical structure of a *pn* junction

- [How does a diode work - the PN Junction \(with animation\) | Intermediate Electronics - YouTube](#)

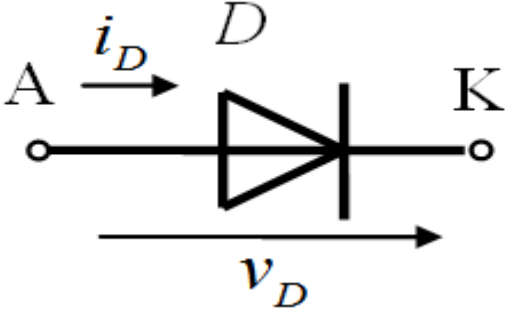
Physical structure – *pn* junction



circuit symbol

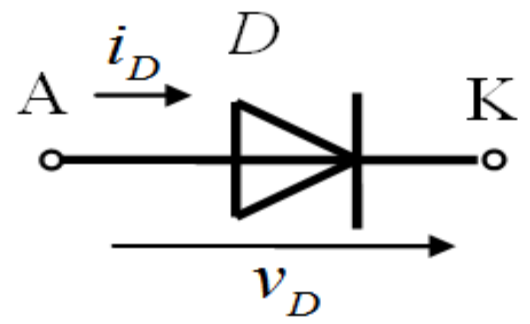


directions for current and voltage



The arrow in the diode's symbol indicates the direction of the forward current flow.

The current flowing through the diode is controlled by the voltage drop across the diode itself – **nonlinear** semiconductor device



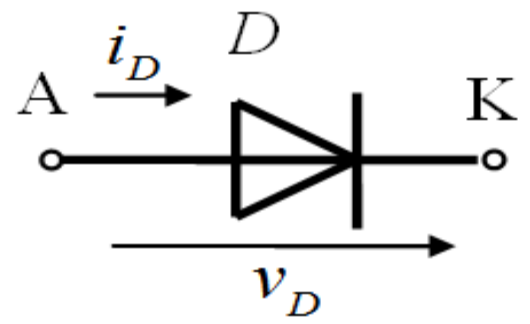
Diode – one-way switch for current

Nonlinear = ?

Semiconductor = ?

What materials are diodes made of?

The current flowing through the diode is controlled by the voltage drop across the diode itself – **nonlinear** semiconductor device



Diode equation – William Shockley (Bell Labs, 1950)

$$i_D = I_S \left( e^{\frac{v_D}{nV_T}} - 1 \right)$$

$I_S$  - saturation current ( $\sim$  nA - pA)

$n = 2$  discrete diodes

$n = 1$  integrated diodes

$$V_T = \frac{KT}{q}$$

thermal voltage

$K$  - Boltzmann's constant

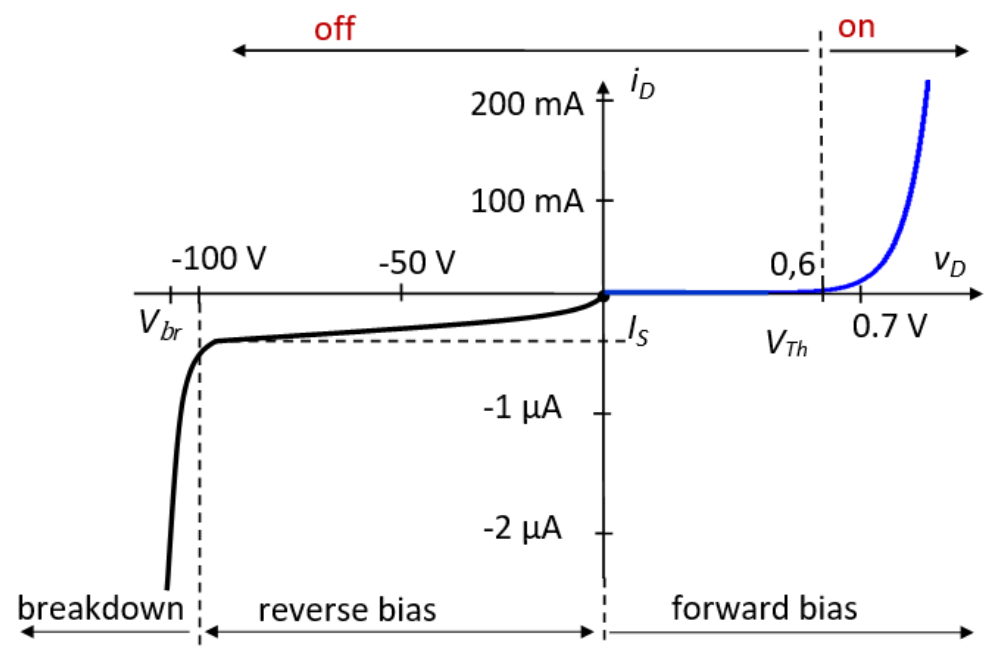
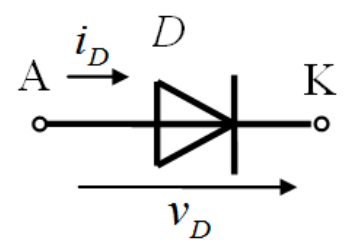
$q$  - elementary charge (electric charge carried by a single electron)

$T$  - absolute temperature measured in K

$$V_T = 25\text{mV @ } 20^\circ\text{C}$$

$$i_D = I_S \left( e^{\frac{v_D}{nV_T}} - 1 \right)$$

Exponential model of the diode  
(valid in forward and reverse regions)



$$i_D \cong I_S e^{\frac{v_D}{nV_T}}$$

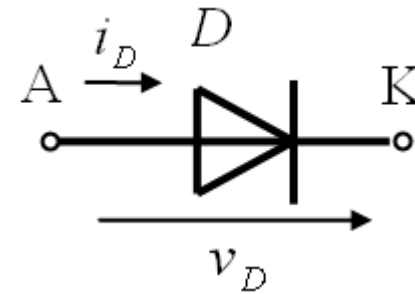
$$v_D = v_A - v_K$$

Threshold voltage

$$V_{Th} \approx 0.6 \text{ V}$$

Mind the scale for the Y-axis!

## Numerical illustration



$D$  is a rectifier diode, 1N400x with  $I_S = 14 \text{ nA}$ ,  $n = 2$

Assuming a voltage drop across the diode

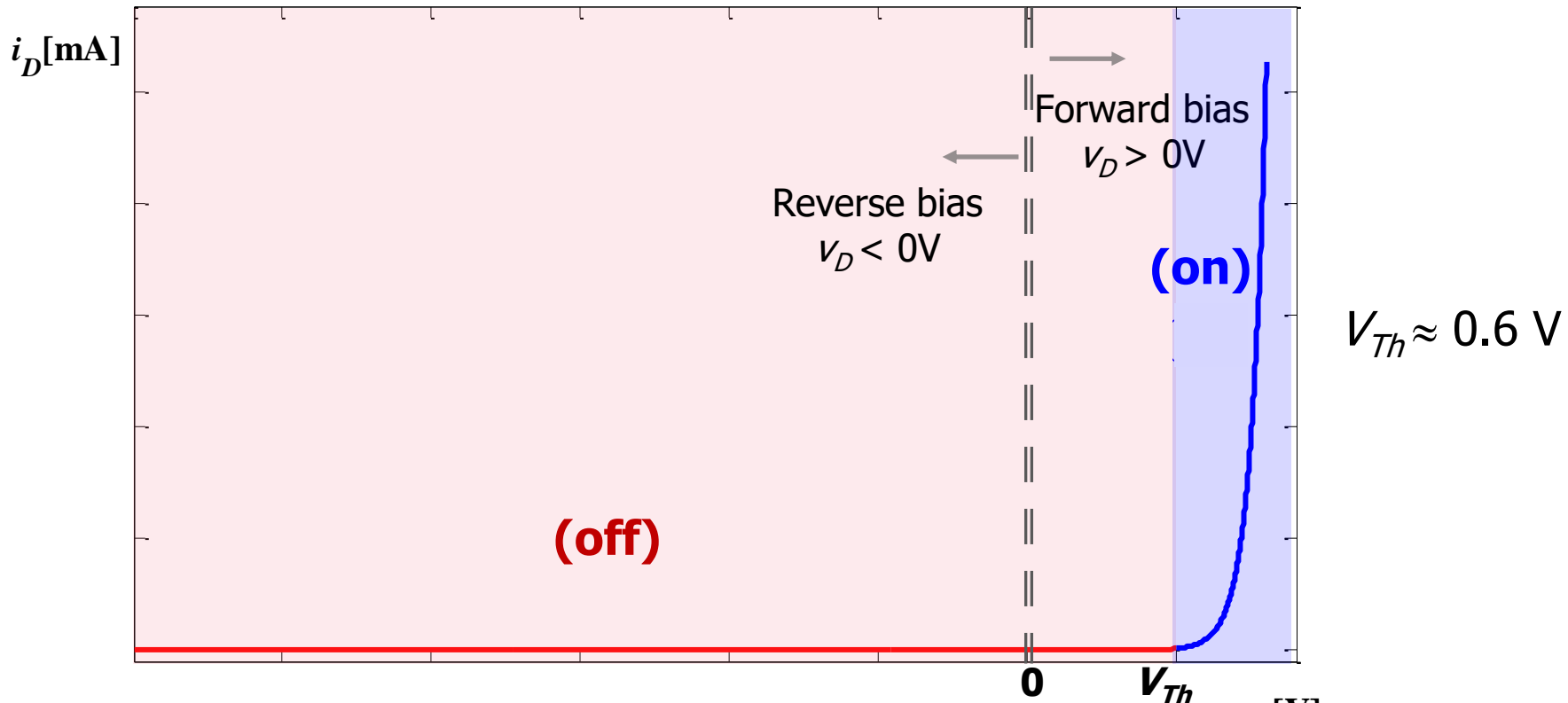
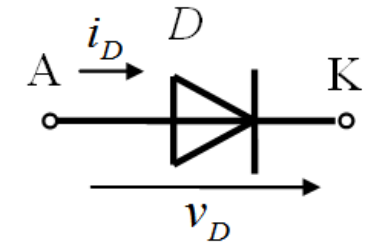
$$v_D = 0.7 \text{ V}$$

the current through the diode results as:

$$i_D = 14 \cdot 10^{-9} \left( e^{\frac{700}{2 \cdot 25}} - 1 \right) = 16.8 \text{ mA}$$



$$i_D = I_S \left( e^{\frac{v_D}{nV_T}} - 1 \right)$$



$$\begin{cases} \text{(off)} & V_D < V_{Th}; & i_D = 0 \\ \text{(on)} & V_D > V_{Th}; & i_D > 0 \end{cases}$$

$$Q(V_D; I_D)$$

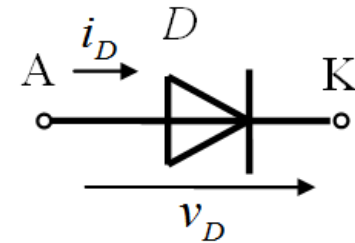
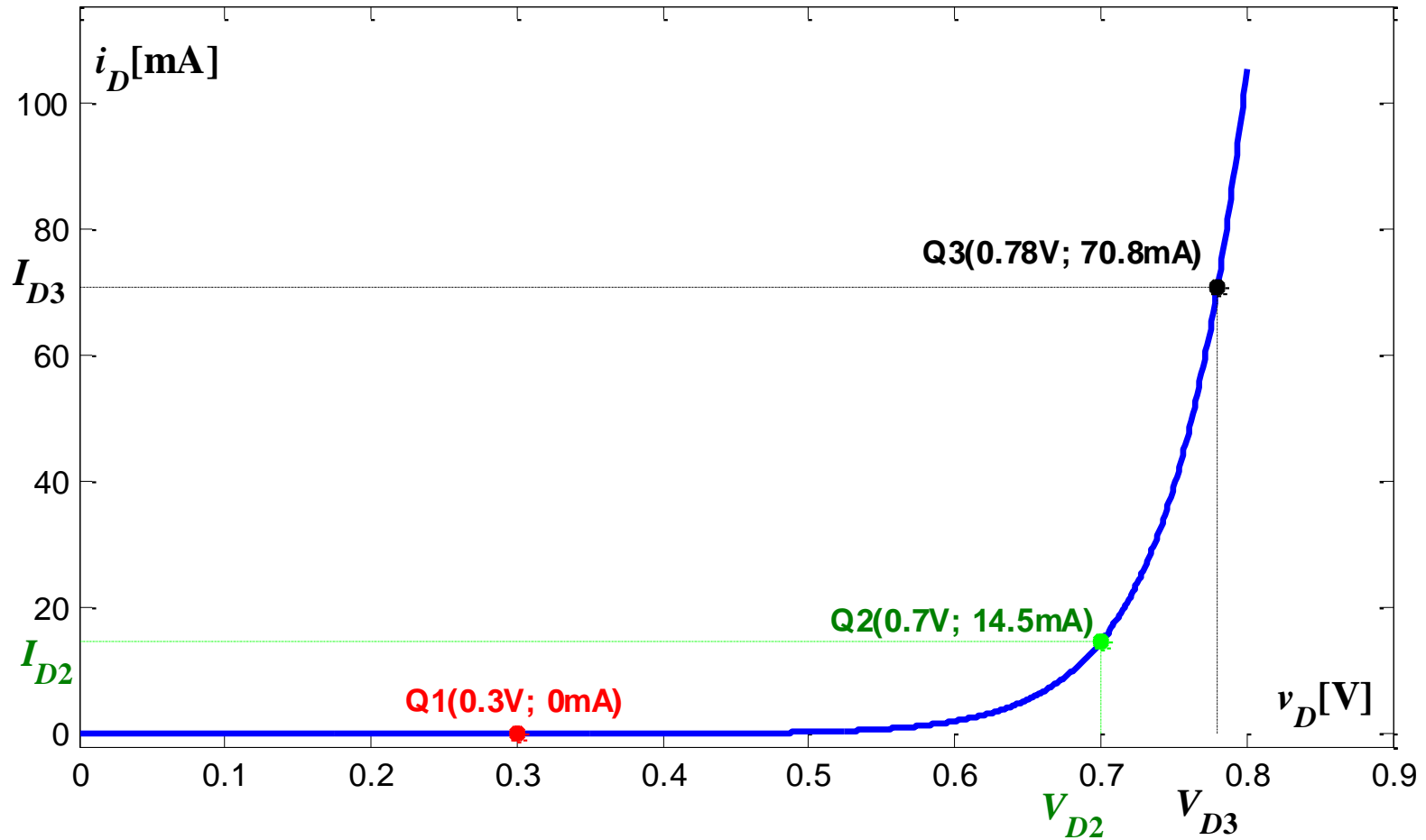


Illustration for 1N400x with  $I_S = 14 \text{ nA}$ ,  $n = 2$

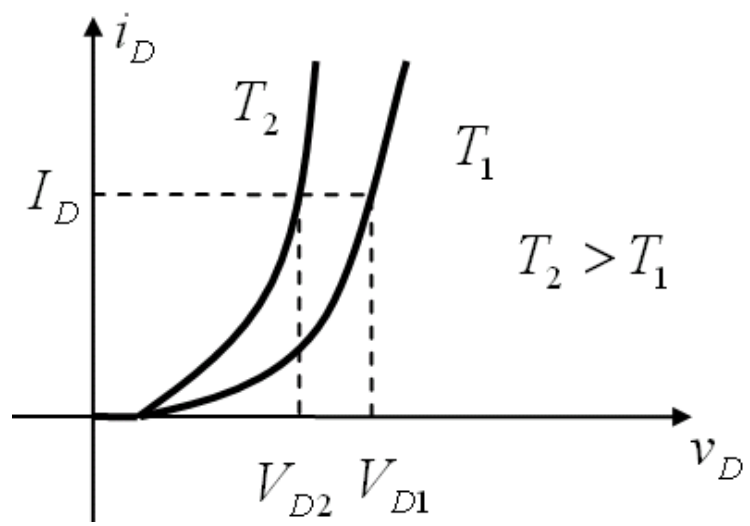


### Temperature dependence

$$i_D \cong I_S e^{\frac{v_D}{nV_T}}$$

$I_S, V_T$  - depend directly on the temperature

At a **constant current**, the voltage across the diode **decreases** by  $\sim 2$  mV for every  $1^\circ\text{C}$  increase in temperature



$TC = -2\text{mV}/^\circ\text{C}$  negative temperature coefficient

$20^\circ\text{C}$	$v_D = 650\text{mV}$
$40^\circ\text{C}$	$v_D = 610\text{mV}$

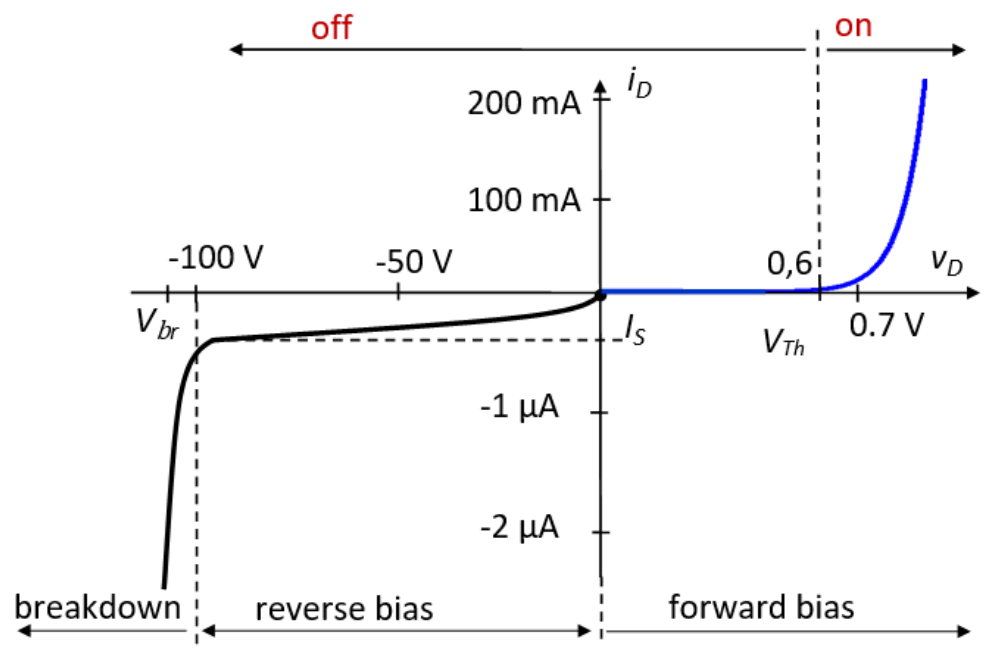
$$v_D(T_2) = v_D(T_1) + TC \cdot (T_2 - T_1) \Big|_{I_D - cst}$$

At a **constant voltage** across the diode, the current **increases** with the temperature

### Example

Determine the operating region (*forward bias/reverse bias/breakdown*) and the state (*on/off*) of a Si diode for the following quiescent points  $Q(V_D, I_D)$  :

- i) (0.2 V; 1 nA)
- ii) (-10 V; -2.3 nA)
- iii) (-100 V; -2  $\mu$ A).



The parameters of the diode are defined (and computed) in the operating (quiescent) point,  $Q(V_D, I_D)$

➤ **Static parameters** – defined in static regime (dc)

➤ static resistance  $r_D$

$$r_D = \left. \frac{V_D}{I_D} \right|_Q$$

➤ **Dynamic parameters** – defined in variable regime (ac)

*a.k.a. small signal parameters*

➤ dynamic (small signal resistance)  $r_d$

$$g_D = \frac{1}{r_D} = \left. \frac{I_D}{V_D} \right|_Q$$

➤ Static parameters

$$r_D = \frac{V_D}{I_D} \Big|_Q \quad \text{static resistance}$$

$$g_D = \frac{1}{r_D} = \frac{I_D}{V_D} \Big|_Q \quad \text{static conductance}$$

Example:

Q<sub>1</sub>(0.65 V; 5.4 mA)

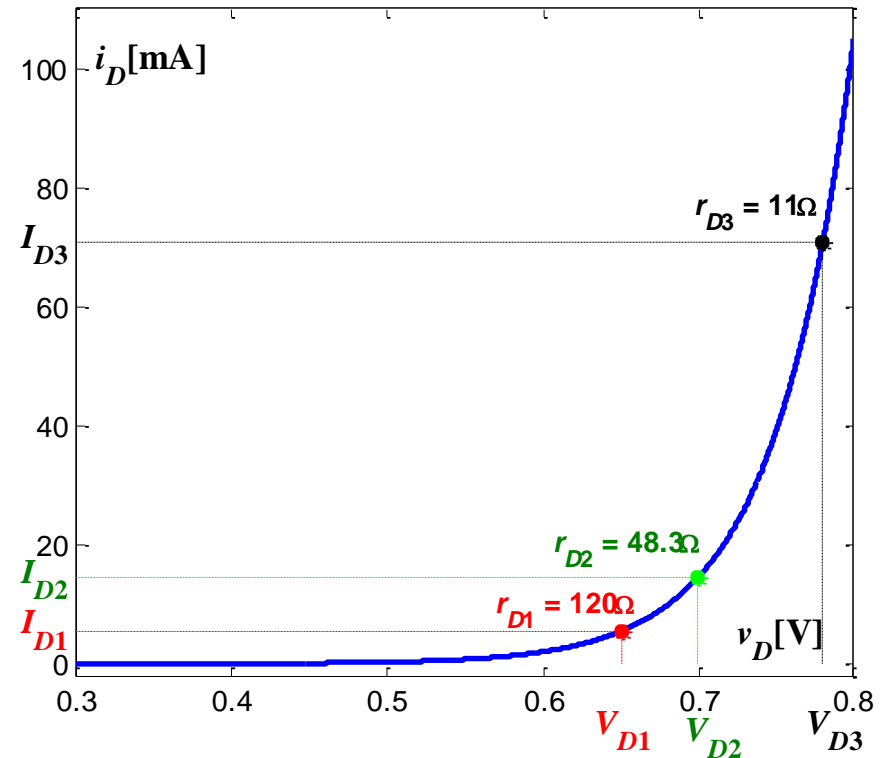
$$r_{D1} = \frac{0.65}{5.4} = 120\Omega$$

Q<sub>2</sub>(0.7 V; 14.5 mA)

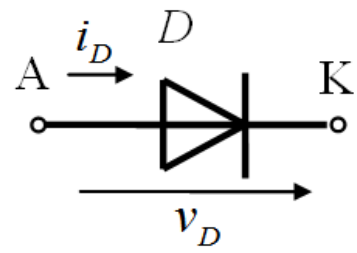
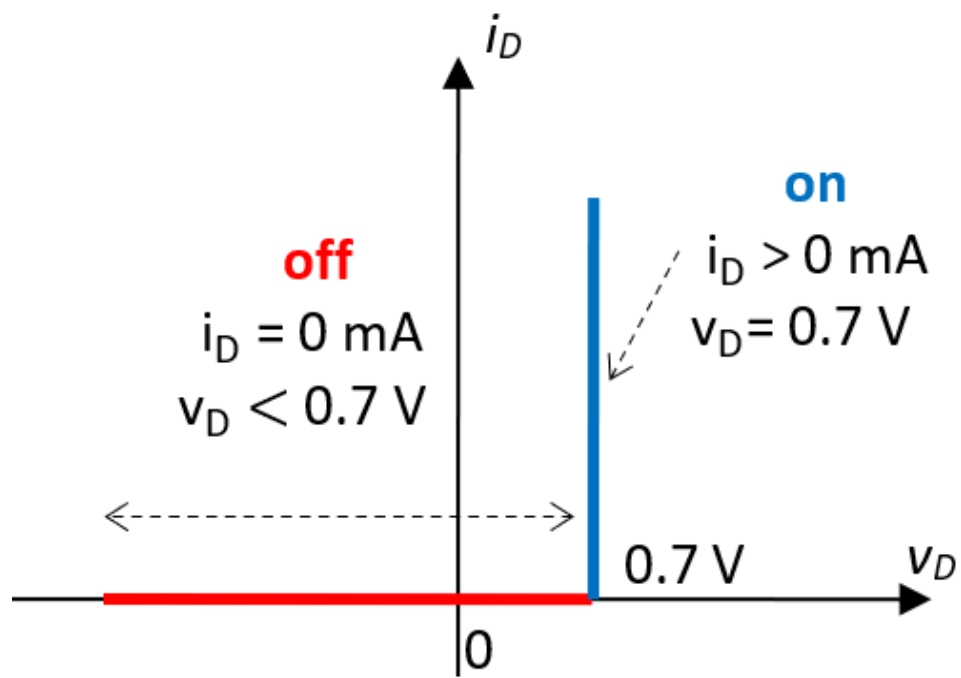
$$r_{D2} = \frac{0.7}{14.5} = 48.3\Omega$$

Q<sub>3</sub>(0.78 V; 70.8 mA)

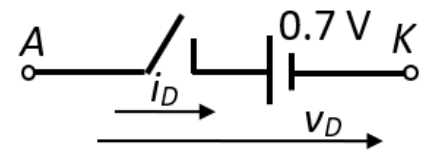
$$r_{D3} = \frac{0.78}{70.8} = 11\Omega$$



As the current increases, the diode goes in deeper conduction and its static resistance decreases.

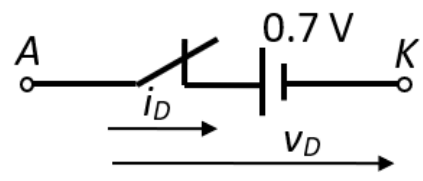


**D – (off)**



$v_D < 0.7$  V  
 $i_D = 0$  mA

**D – (on)**

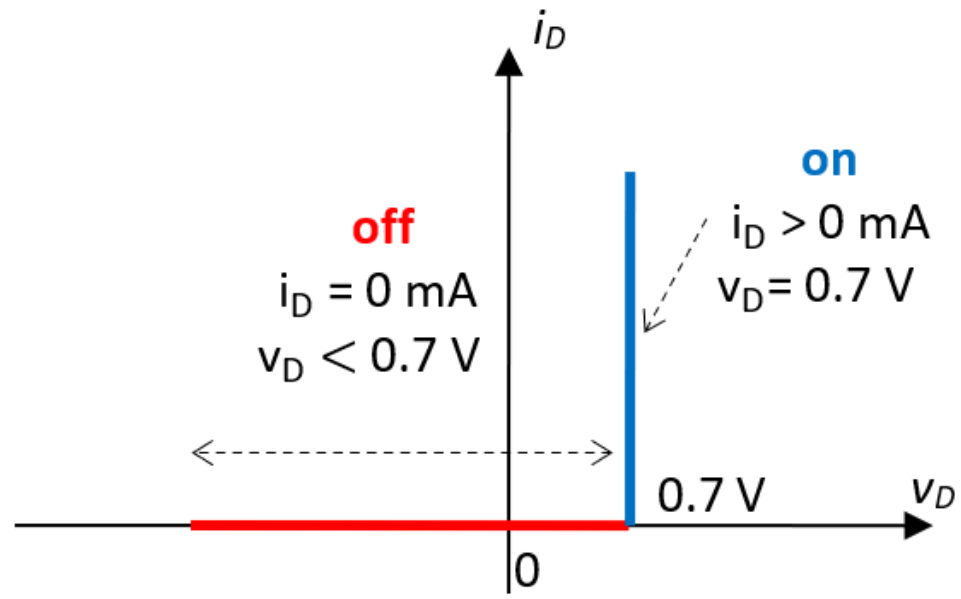
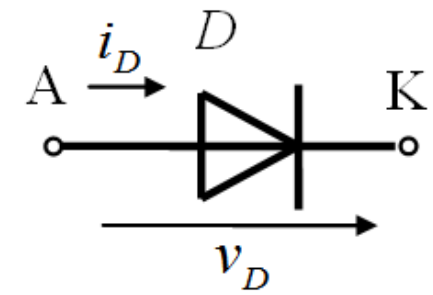


$v_D = 0.7$  V  
 $i_D > 0$  mA

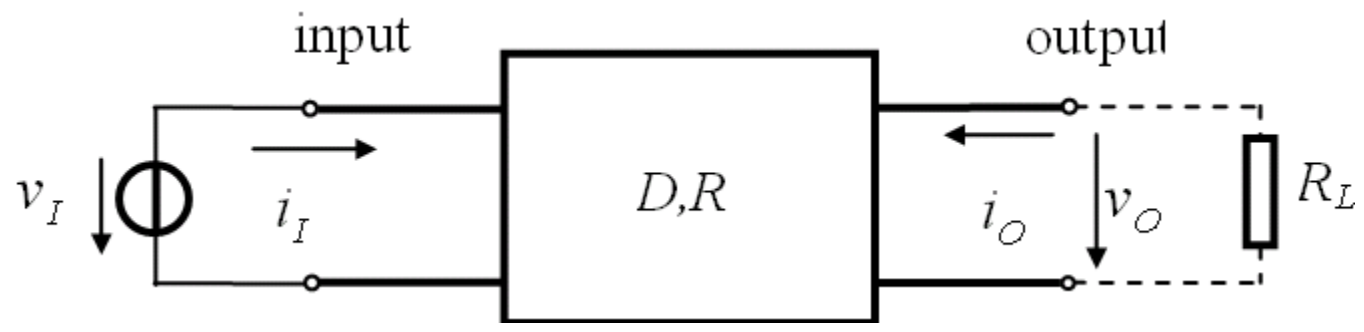
### Example

Assuming the constant voltage drop model ( $v_{D,on} = 0.7\text{ V}$ ), determine the state (*on/off*) of the diode for the following pairs of values:

- i)  $i_D = 0\text{ mA}$  and  $v_D = -0.7\text{ V}$
- ii)  $i_D = 0\text{ mA}$  and  $v_D = -7\text{ V}$
- iii)  $i_D = 15\text{ mA}$  and  $v_D = 0.7\text{ V}$
- iv)  $i_D = 0\text{ mA}$  and  $v_D = 0.2\text{ V}$





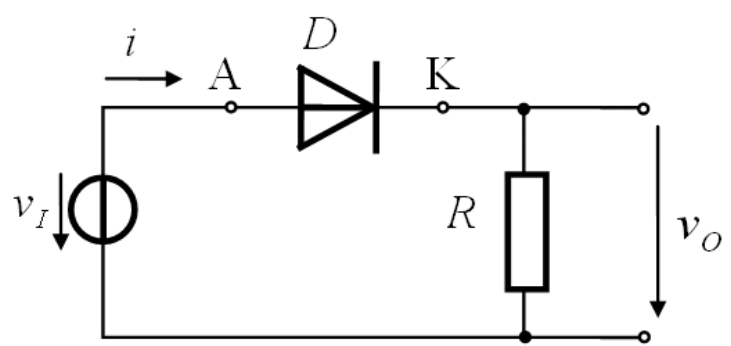


Two-port network = circuit w/ two ports – input, output

Two-port DR network = DR circuit w/ two ports – input, output

Switching two-port DR network = DR circuit w/ two ports, D – (on), (off)

The analysis of switching two-port DR networks works with the constant voltage drop model of the diode.

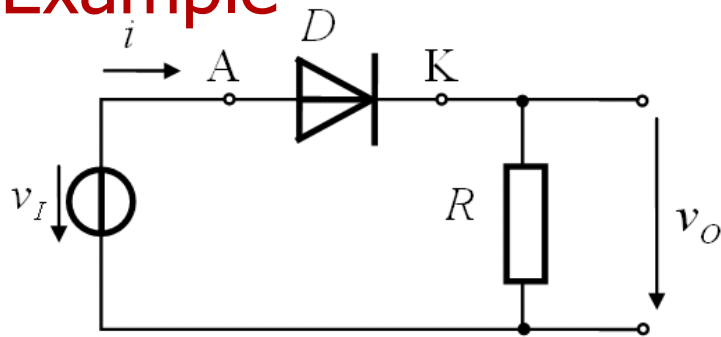


Voltage transfer characteristic (VTC)  
 graphical illustration of  $v_O (v_I)$

Steps for deducing the VTC:

- ❖ Take into account **all possible situations** that result from the combination of diode states (*on/off*)
- ❖ For each situation,
  - draw** the equivalent circuit
  - find**  $v_O$
  - determine** the range of  $v_I$
- ❖ **Plot** the VTC.

## Example



Deduce and plot VTC  $v_O (v_I)$

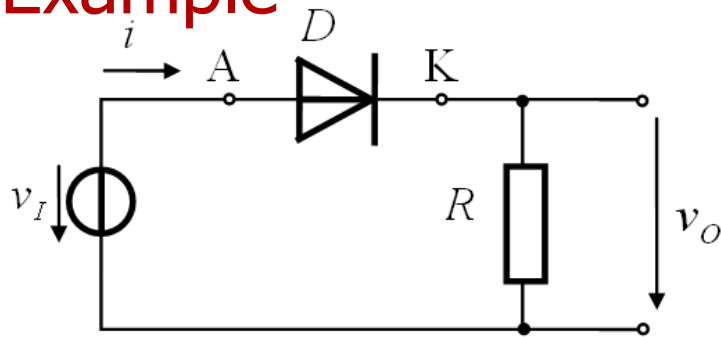
**Step 1.** Write down KVL and Ohm's law for the circuit (circuit's equations)

**Step 2.** Draw the equivalent circuits for D-(on) and D-(off)

**Step 3.** Find  $v_O$  and the range for  $v_I$  by replacing the diode's equations in the circuit's equations.

**Step 4.** Write down the complete expression of VTC  $v_O (v_I)$  and plot it, for D-(on) and D-(off).

## Example



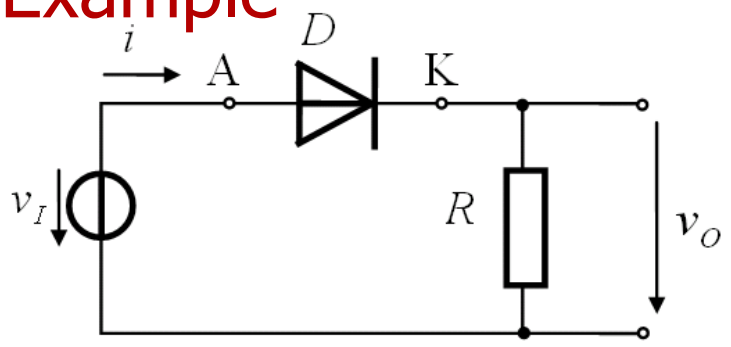
Deduce and plot VTC  $v_O(v_I)$

**Step 1.** Write down KVL and Ohm's law for the circuit (circuit's equations)

$$\begin{aligned} -v_I + v_D + v_O &= 0 \\ v_O &= i_D R \end{aligned}$$

Always valid, regardless of the state of the diode!

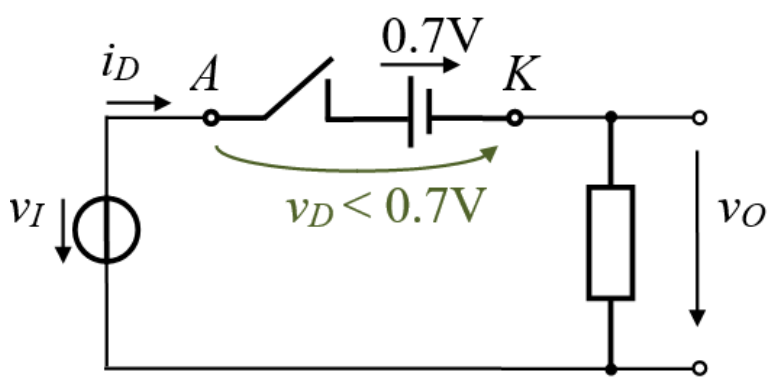
Example



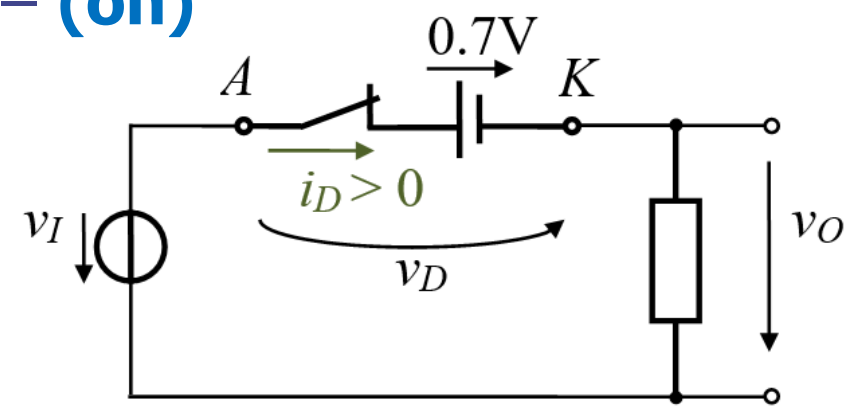
Deduce and plot VTC  $v_O(v_I)$

Step 2. Draw the equivalent circuits for D-(on) and D-(off)

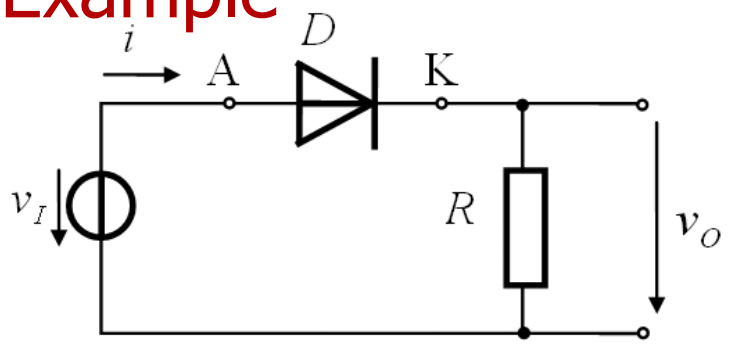
D – (off)



D – (on)



Example



Deduce and plot VTC  $v_O(v_I)$

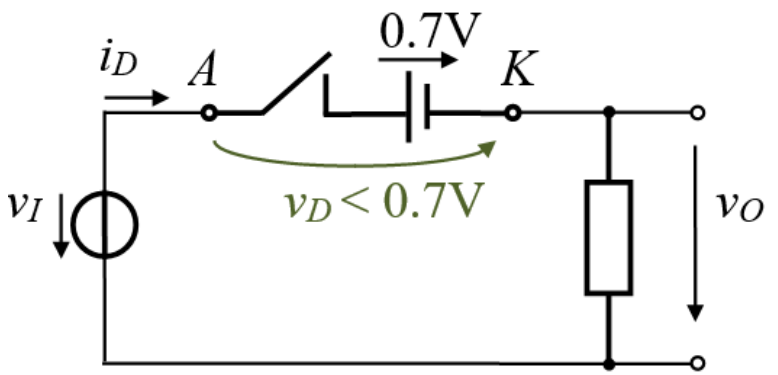
Step 3. Find  $v_O$  and the range for  $v_I$  by replacing the diode's equations in the circuit's equations.

$$-v_I + v_D + v_O = 0$$

$$v_O = i_D R$$

$D - (\text{off})$

$$\begin{cases} v_D < 0.7V \\ i_D = 0A \end{cases}$$



$$v_O = i_D R = 0$$

$$v_O = 0$$

$$v_D = v_I - v_O$$

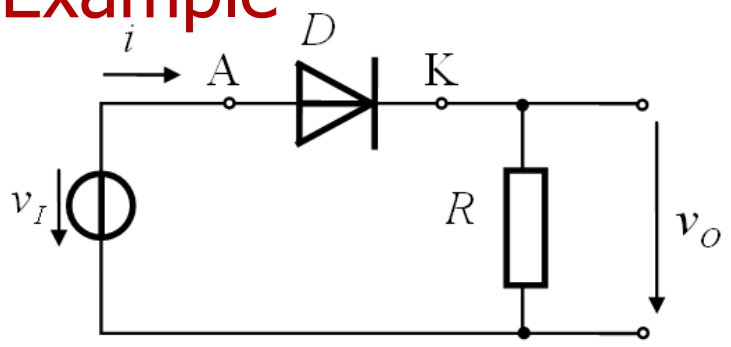
$$v_D < 0.7$$

$$v_I - v_O < 0.7$$

$$v_I - 0 < 0.7$$

$$v_I < 0.7V$$

**Example**



Deduce and plot VTC  $v_O(v_I)$

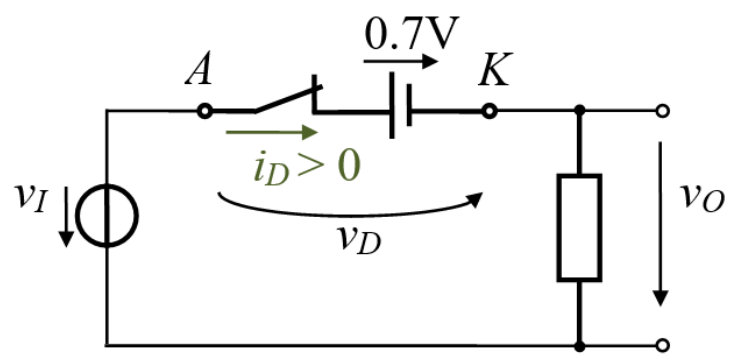
**Step 3.** Find  $v_O$  and the range for  $v_I$  by replacing the diode's equations in the circuit's equations.

$$-v_I + v_D + v_O = 0$$

$$v_O = i_D R$$

$D - (\text{on})$

$$\begin{cases} v_D = 0.7V \\ i_D > 0A \end{cases}$$



$$-v_I + 0.7 + v_O = 0$$

$$v_O = v_I - 0.7$$

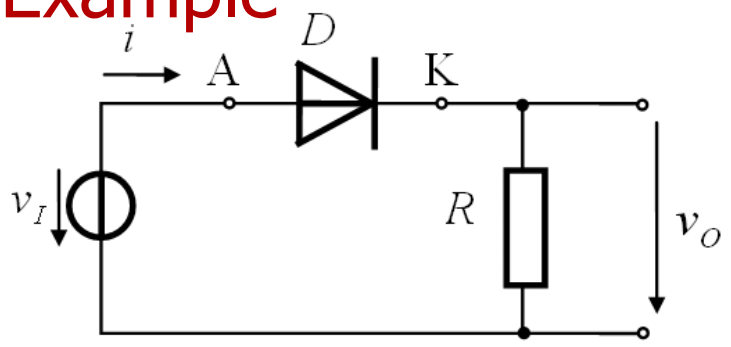
$$i_D = \frac{v_O}{R} \quad \frac{v_O}{R} > 0$$

$$v_O > 0$$

$$v_I - 0.7 > 0$$

$$v_I > 0.7V$$

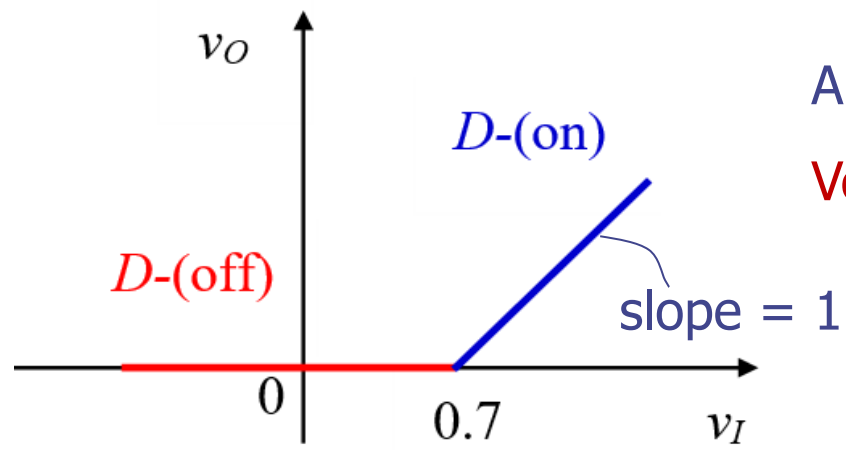
### Example



Deduce and plot VTC  $v_O(v_I)$

**Step 4.** Write down the complete expression of VTC  $v_O(v_I)$  and plot it, for D-(on) and D-(off).

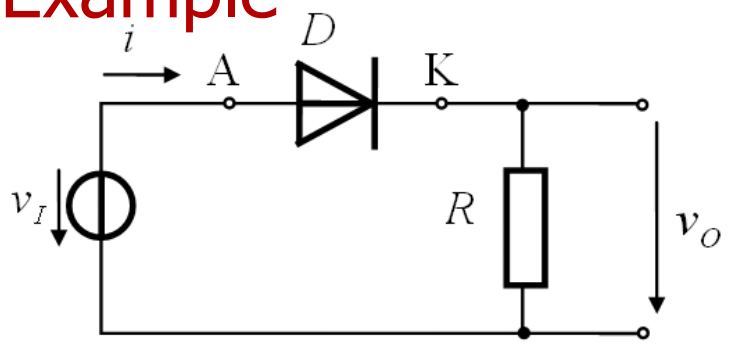
$$v_O = \begin{cases} 0, & v_I < 0.7V \\ v_I - 0.7V, & v_I > 0.7V \end{cases}$$



Application:  
**Voltage rectifier**

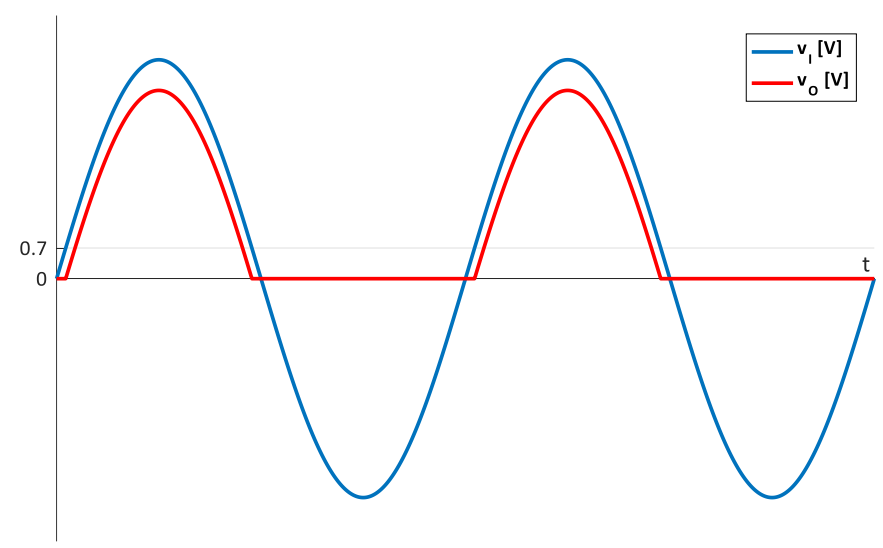
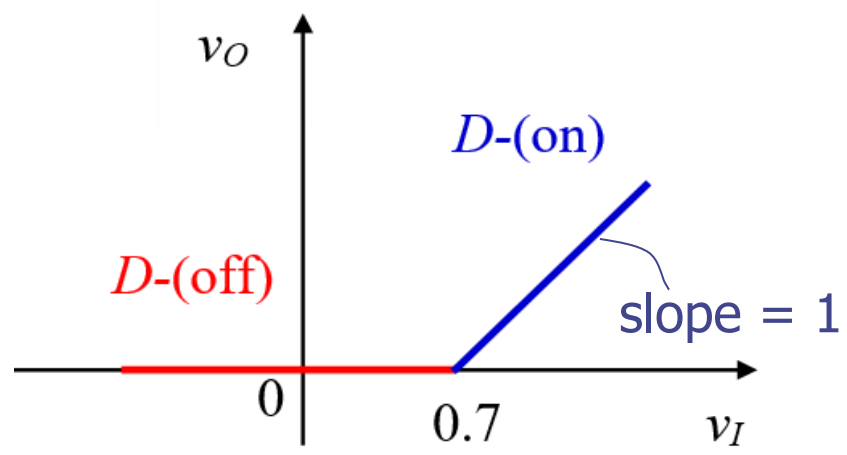


Example

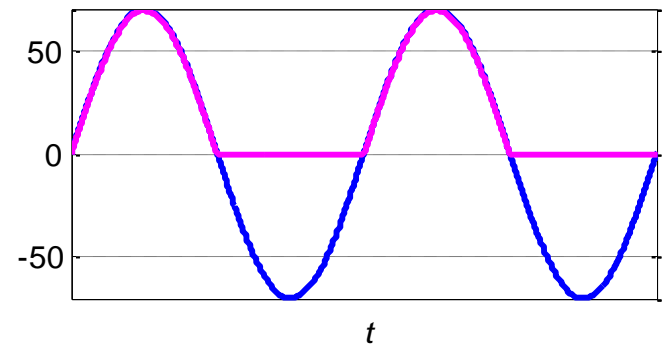
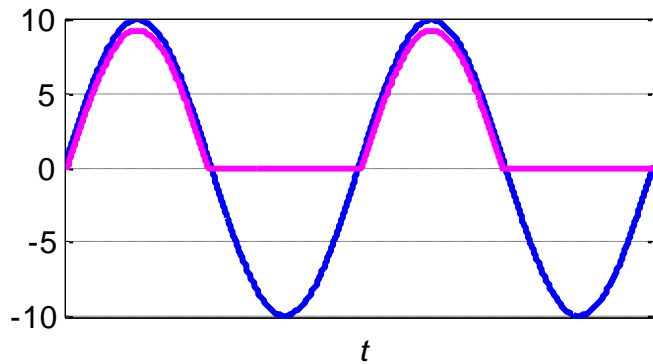
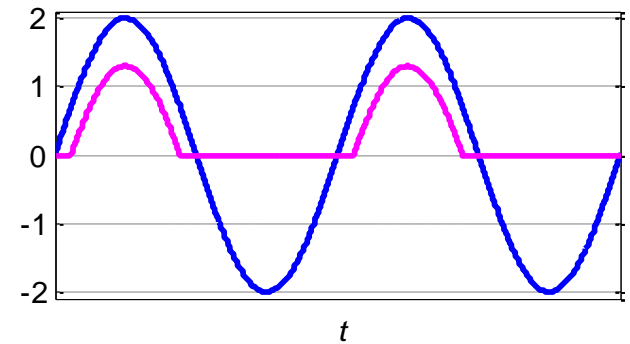
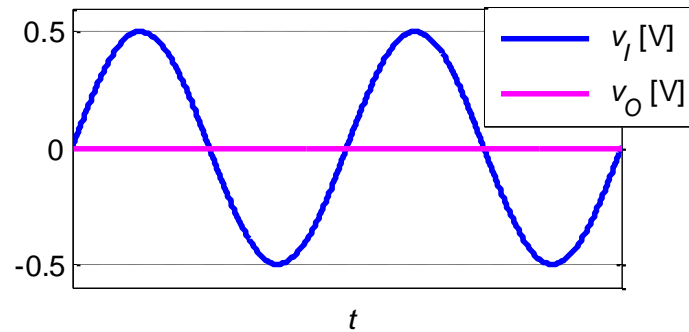


$$v_O = \begin{cases} 0, & v_I < 0.7V \\ v_I - 0.7V, & v_I > 0.7V \end{cases}$$

Waveforms



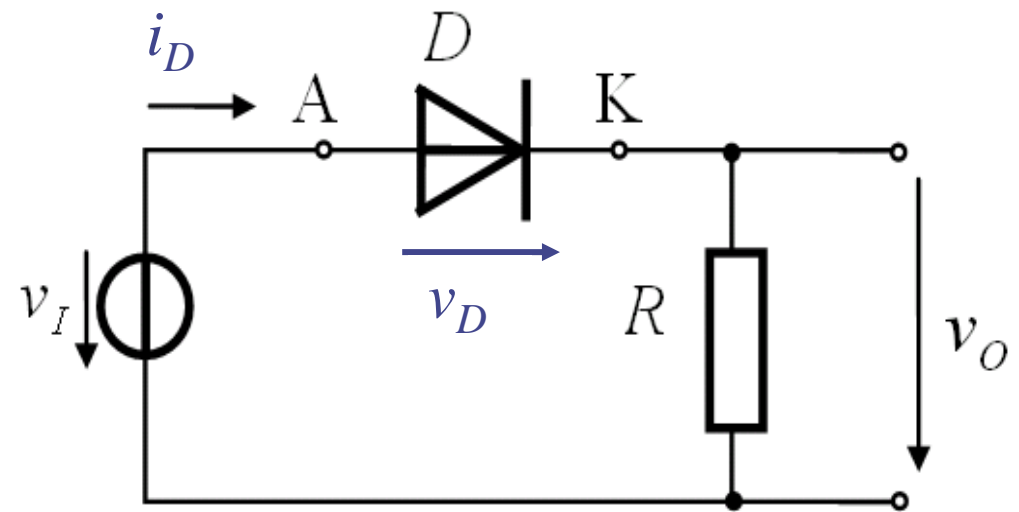
# Influence of $V_{Th}$ and $V_{D,on}$



If the input voltage is large enough ( $\gg 0.7$  V)

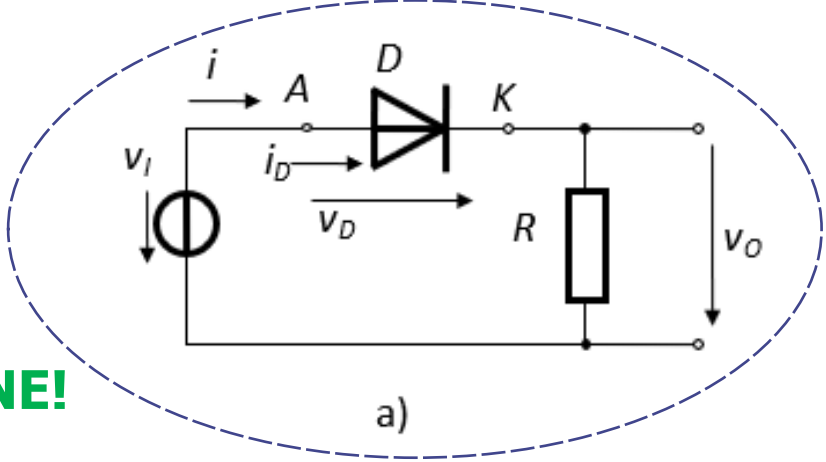
- $V_{Th}$  can be considered 0 V
- $V_{D,on}$  can be neglected, meaning that for  $D - (on)$ ,  $v_O = v_I$

Example

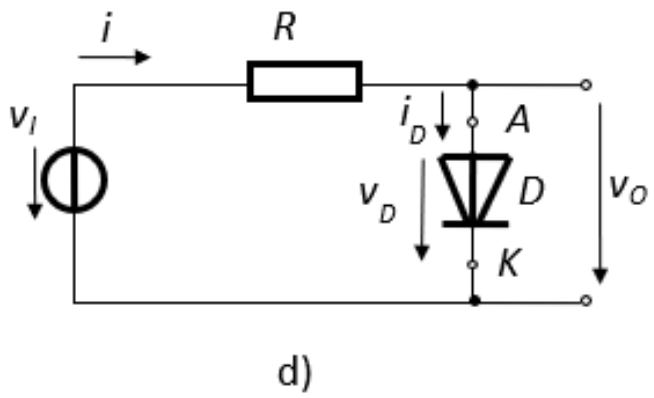
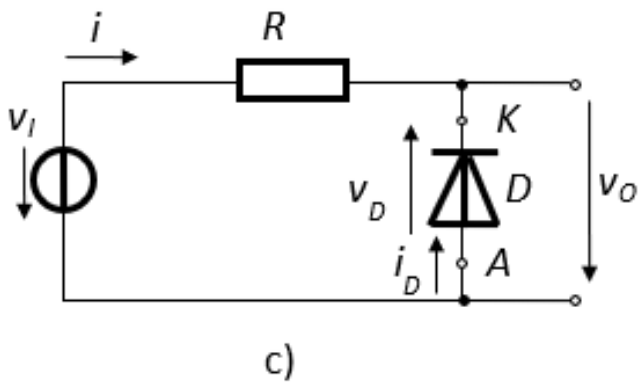
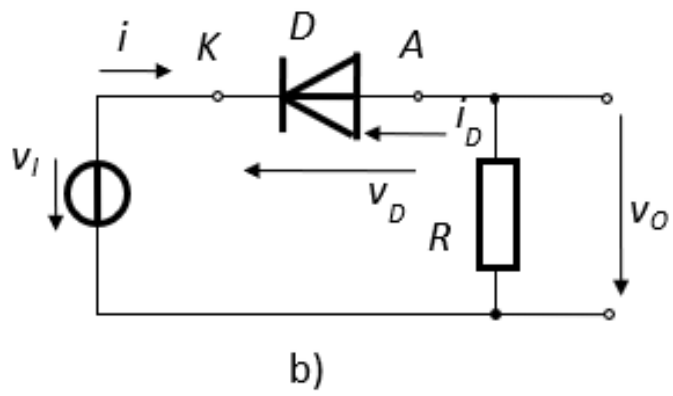


- a) Plot the output voltage if the input is a sine wave, 3 V amplitude.
- b) What is the peak forward current through  $D$  for  $R = 2 \text{ k}\Omega$ ?
- c) What is the peak reverse voltage  $V_{DR}$  across  $D$  ( $v_{DR} = -v_D$ )?
- d) Repeat the above points, assuming the diode is reversed in the circuit.

Example – other versions of the simple DR circuit



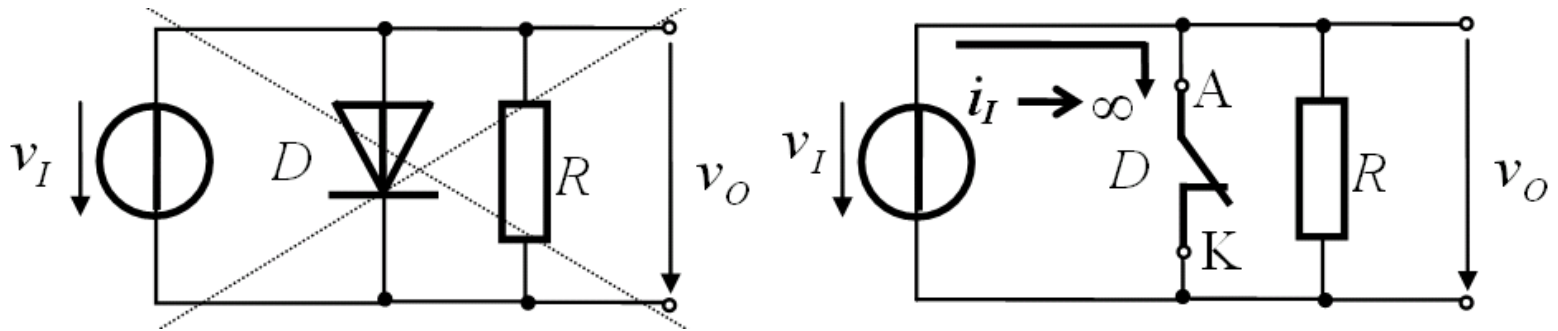
DONE!



# Other series connections

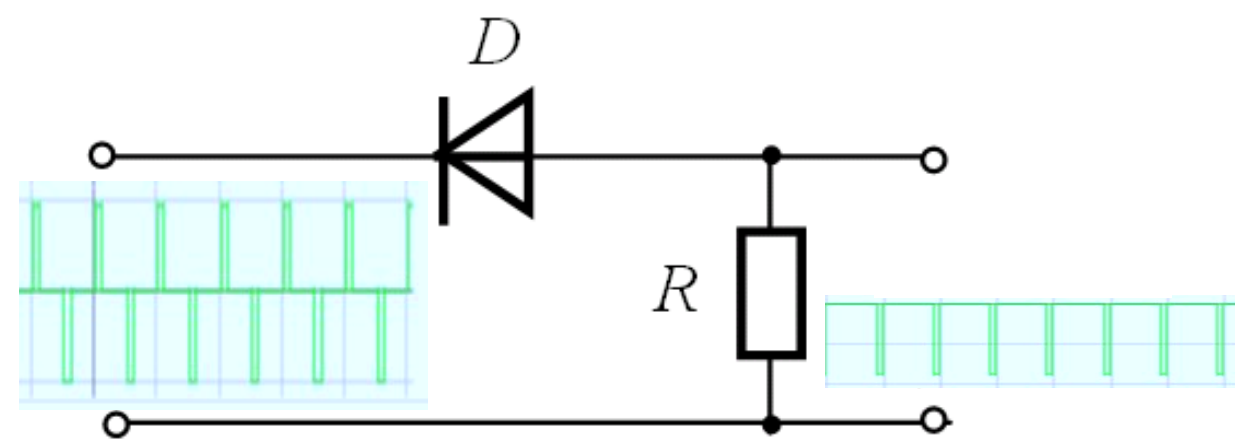
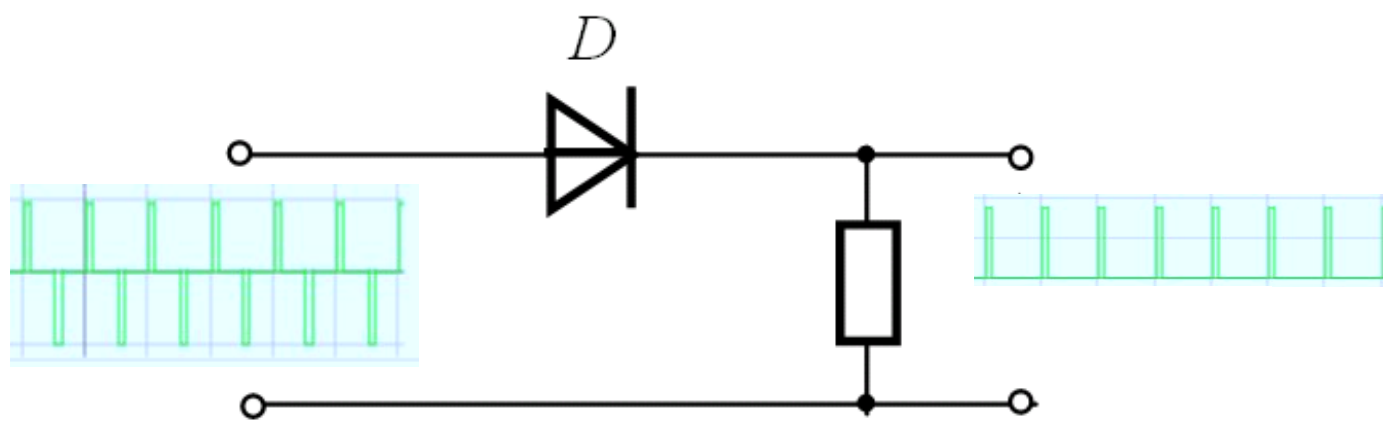
- Reverse the diode
- Change the places of D and R (output voltage collected from D)

*Forbidden connection!*



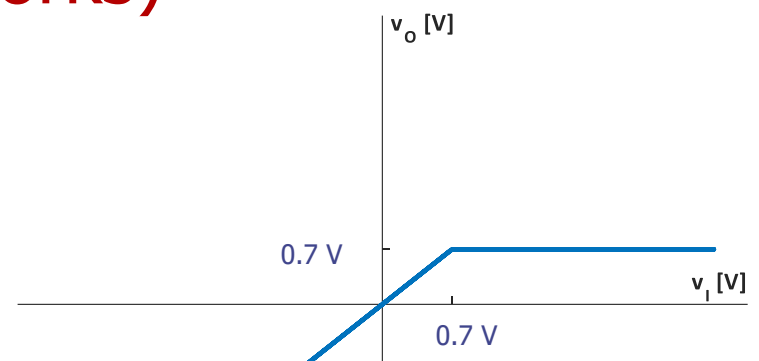
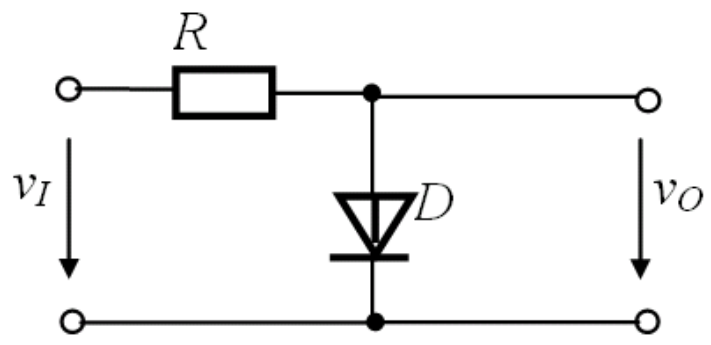
Never connect a voltage source so that during normal operation, the source can be short-circuited.

➤ Pulses selector

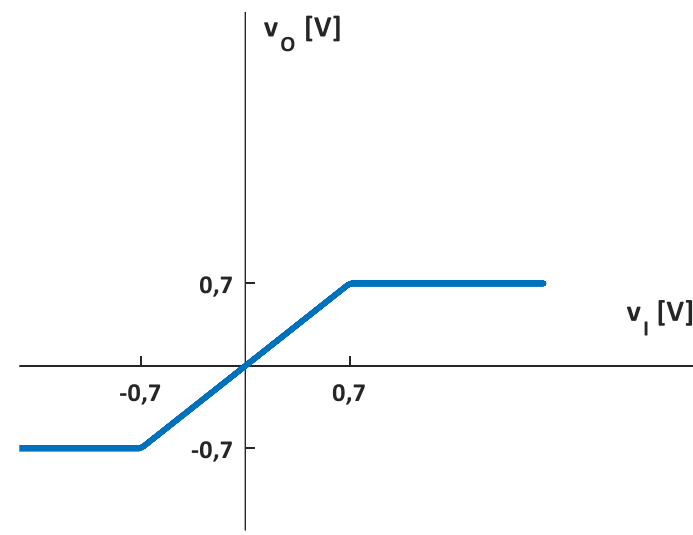
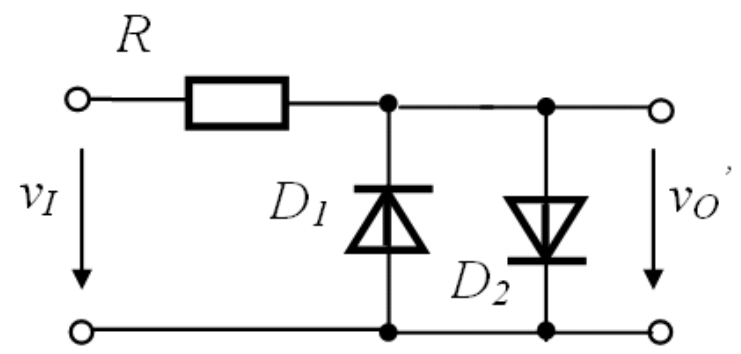


➤ Voltage limiters (clamp networks)

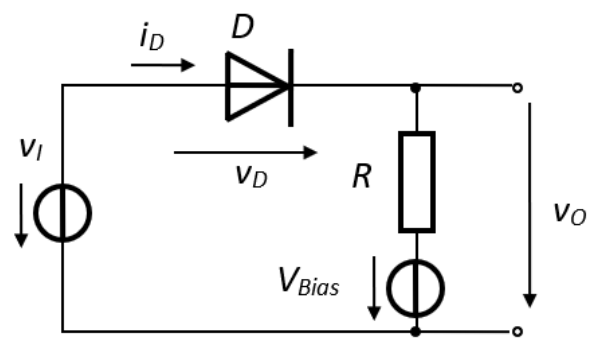
simple



double



## ➤ Voltage limiters (clamp networks)



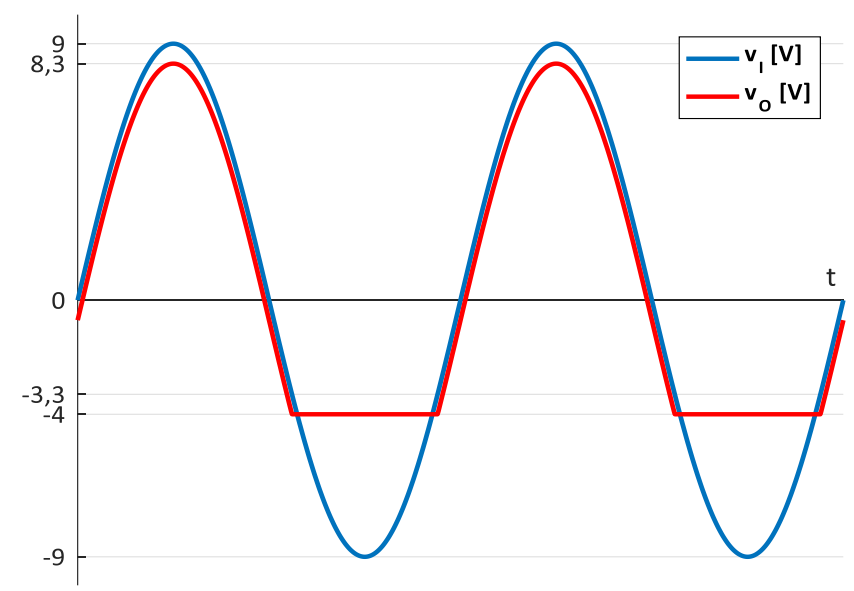
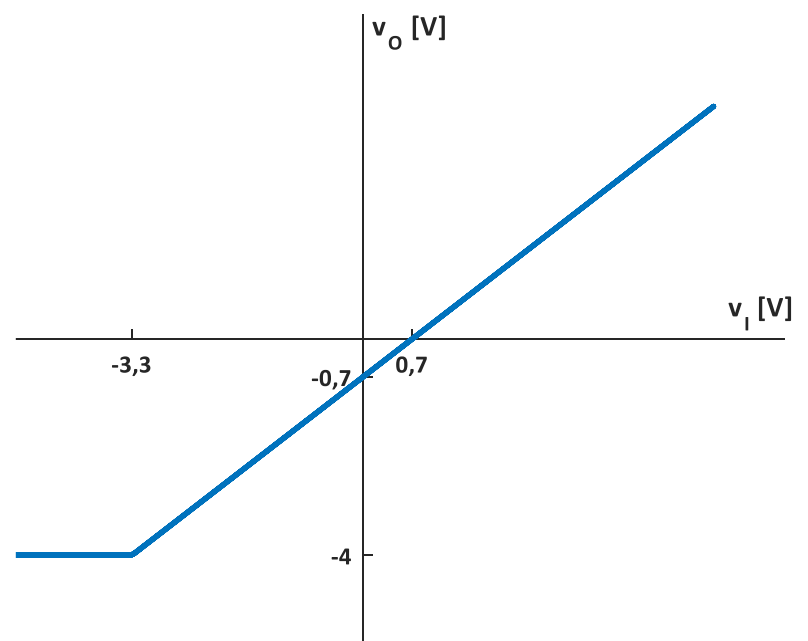
$V_{Bias} = -4 \text{ V}$

D - on

$v_O = v_I - 0.7 \text{ V}$   
 $v_I > -3.3 \text{ V}$

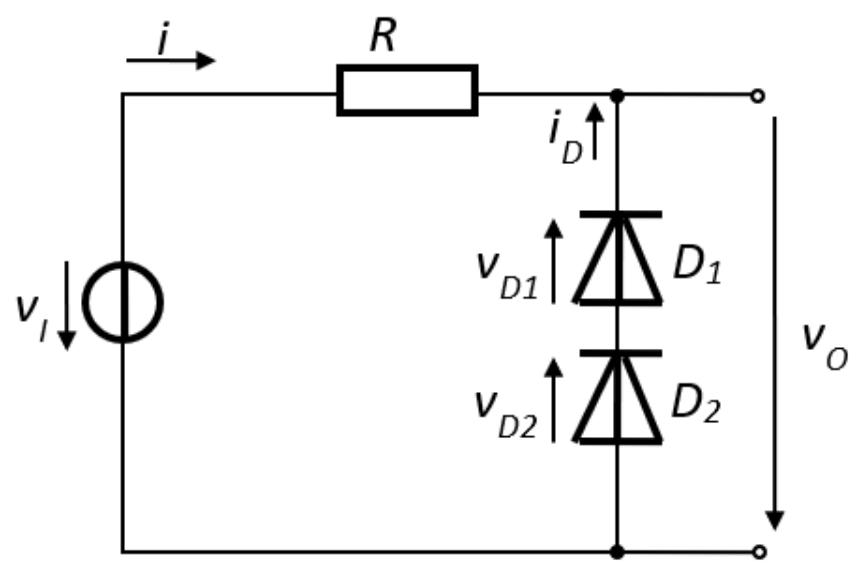
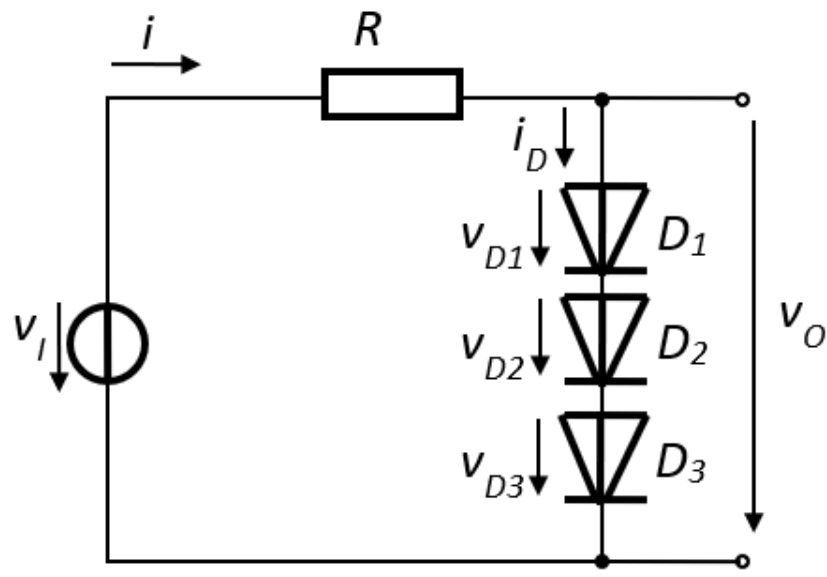
D - off

$v_O = -4 \text{ V}$   
 $v_I < -3.3 \text{ V}$





➤ Voltage limiters (clamp networks)



# Summary

Our first encounter with the diode revealed details regarding:

- Physical structure. Symbol.
- Current-voltage characteristic
- Operating regions
- Parameters of the diode
- Constant voltage drop model
- Analysis of two-port DR networks

Next week: Multi-port DR circuits. DC switching circuits.