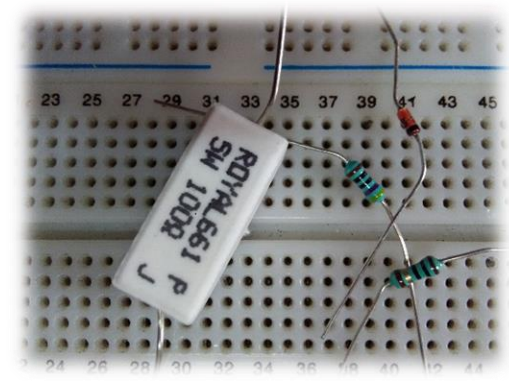




# ELECTRONIC DEVICES

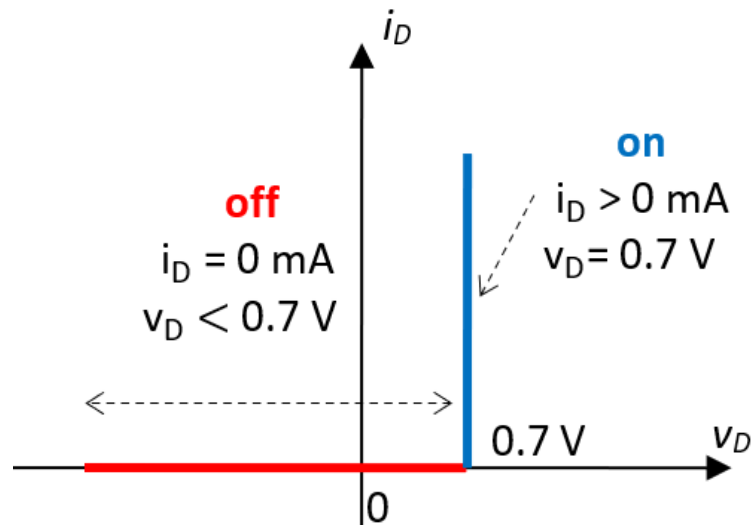
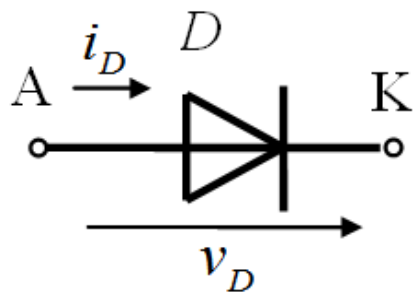
Assist. prof. Laura-Nicoleta IVANCIU, Ph.D.

## C3 – Multi-port DR circuits. DC switching circuits.



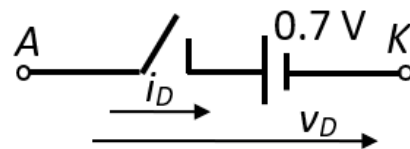
Previously on ED (C2):

Constant voltage drop model

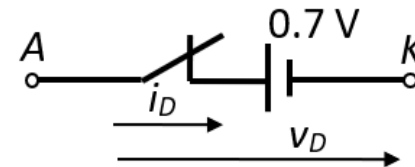


**D – (off)**

**D – (on)**



$v_D < 0.7 \text{ V}$   
 $i_D = 0 \text{ mA}$



$v_D = 0.7 \text{ V}$   
 $i_D > 0 \text{ mA}$

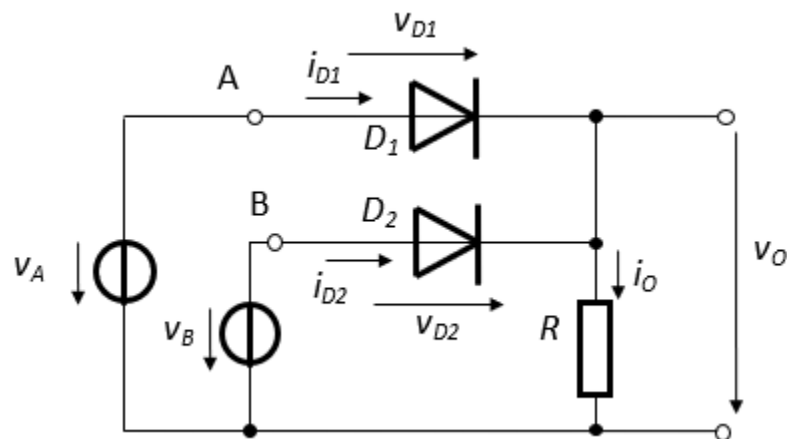
Exponential model

$$i_D \cong I_S e^{\frac{v_D}{nV_T}}$$

# Contents

- Multi-port DR circuits
  - Maximum multi-port networks
  - Minimum multi-port networks
- Two-port DC switching circuits
  - Positive/negative peak detector
  - Translation networks
  - Voltage doubler

## ➤ Maximum multi-port networks



$$\begin{cases} v_A > v_B \\ v_A > 0.7\text{V} \end{cases}$$

$$D_1 - (\text{on}), D_2 - (\text{off}); \quad v_O = v_A - 0.7\text{V}$$

$$\begin{cases} v_B > v_A \\ v_B > 0.7\text{V} \end{cases}$$

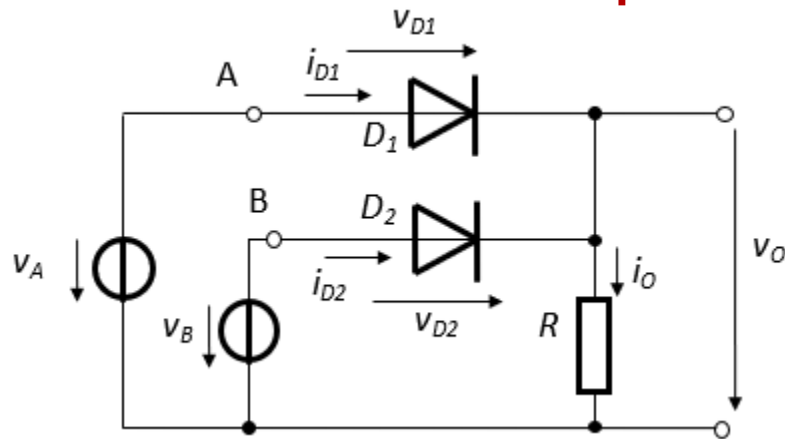
$$D_1 - (\text{off}), D_2 - (\text{on}); \quad v_O = v_B - 0.7\text{V}$$

$$\begin{cases} v_A < 0.7\text{V} \\ v_B < 0.7\text{V} \end{cases}$$

$$D_1 - (\text{off}), D_2 - (\text{off}); \quad v_O = 0$$

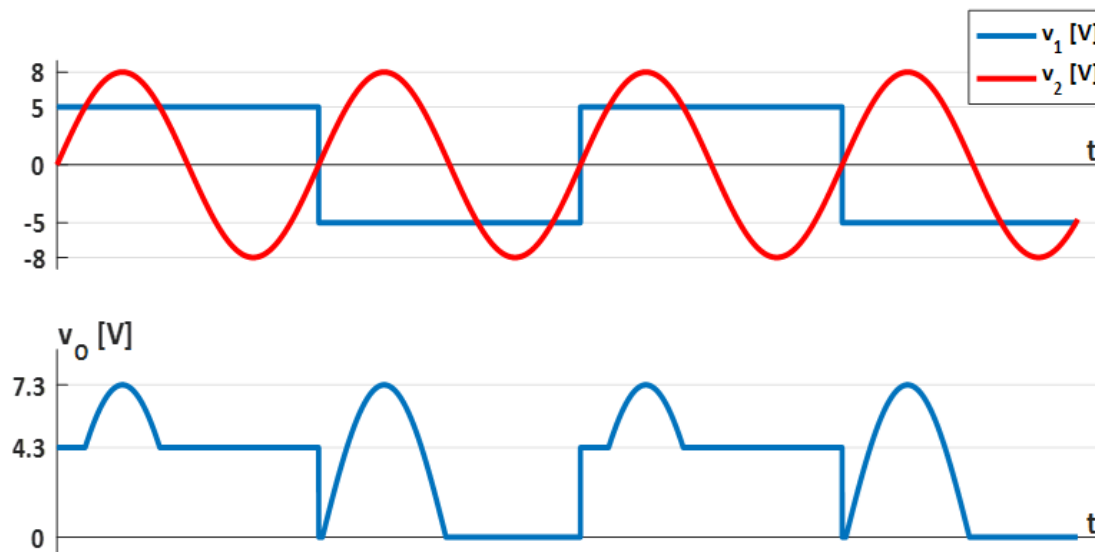
$$v_O = \max(v_A - 0.7\text{V}; v_B - 0.7\text{V}; 0)$$

## ➤ Maximum multi-port networks



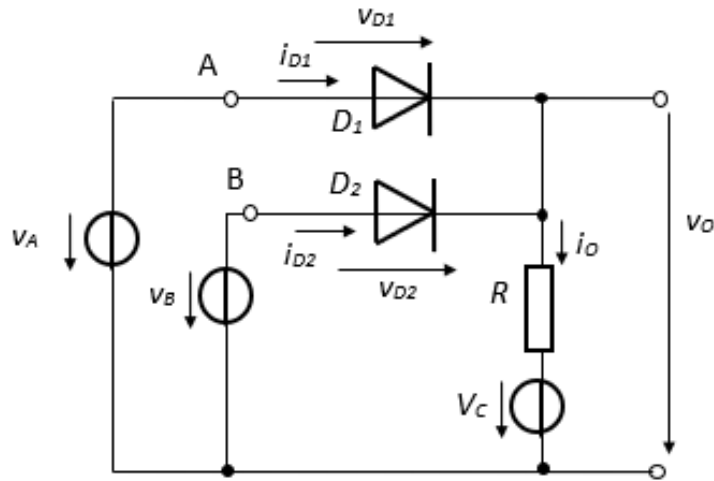
$$v_O = \max(v_A - 0.7 \text{ V}; v_B - 0.7 \text{ V}; 0)$$

$$v_O = \max(v_A; v_B; 0) \text{ neglecting } 0.7 \text{ V}$$



- What is the peak value of the current through each circuit element if  $R=5 \text{ k}\Omega$ ?
- What is the range of values for  $R$ , if the peak forward current through each diode is 20 mA?

## ➤ Maximum multi-port networks

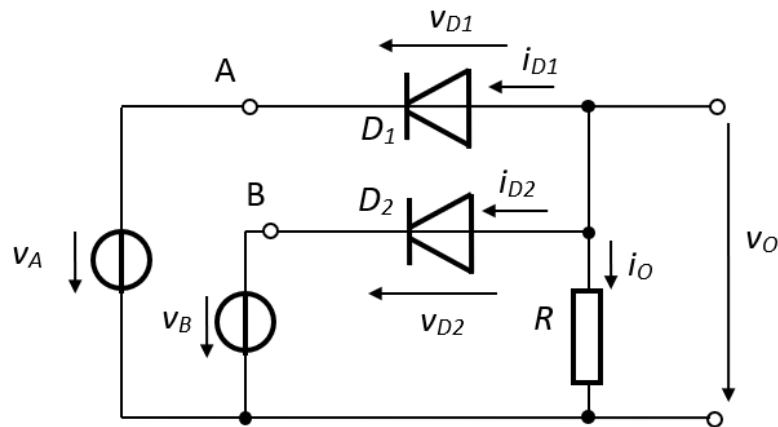


$$v_O = \max(v_A - 0.7 \text{ V}; v_B - 0.7 \text{ V}; V_C)$$

$$v_O = \max(v_A; v_B; V_C) \text{ neglecting } 0.7 \text{ V}$$

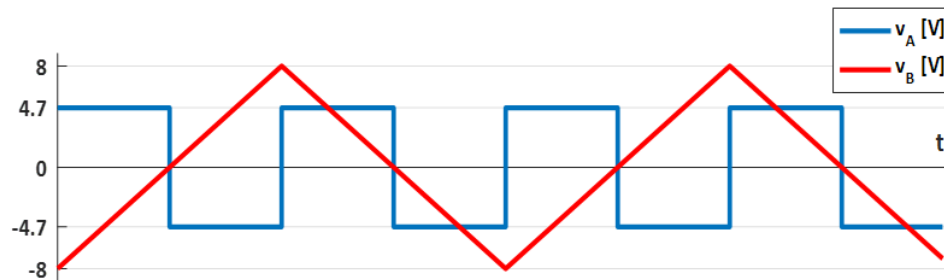
Plot  $v_A(t)$ ,  $v_B(t)$  and  $v_O(t)$  for if  $v_A(t) = 5\sin\omega t$ ,  $v_B(t) = -3\sin\omega t$ ,  $V_C = 4 \text{ V}$ .

➤ Minimum multi-port networks

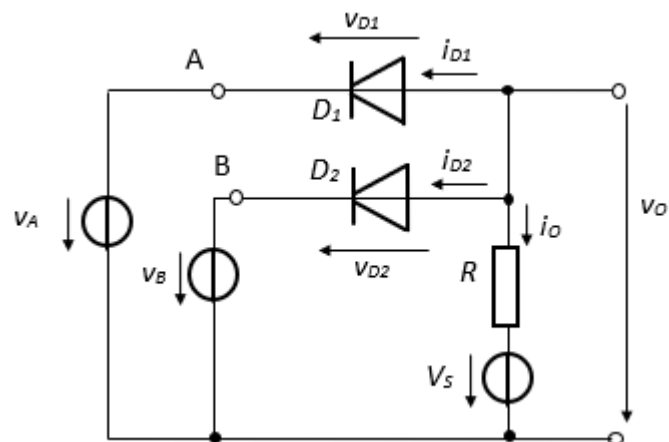


$$v_O = \min(v_A + 0.7 \text{ V}; v_B + 0.7 \text{ V}; 0)$$

$$v_O = \min(v_A; v_B; 0) \text{ neglecting } 0.7 \text{ V}$$



## ➤ Minimum multi-port networks



$$v_O = \min(v_A + 0.7 \text{ V}; v_B + 0.7 \text{ V}; V_S)$$

$$v_O = \min(v_A; v_B; V_S) \text{ neglecting } 0.7 \text{ V}$$

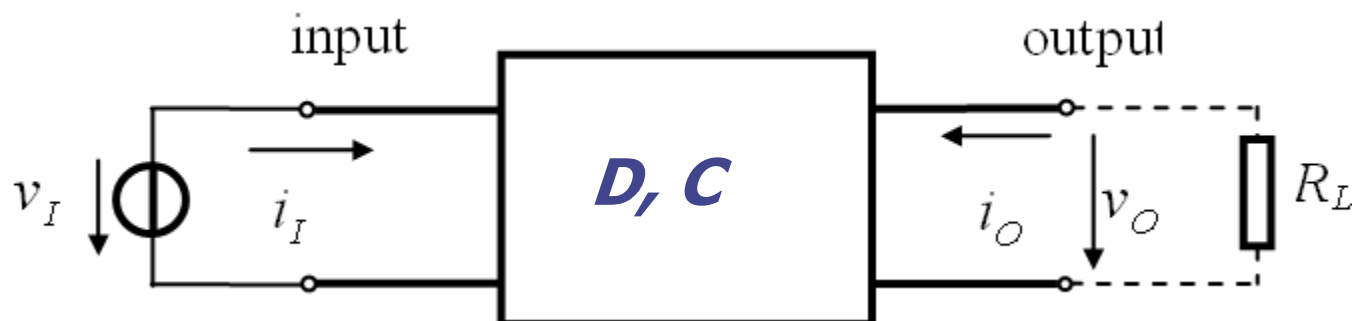
Plot  $v_A(t)$ ,  $v_B(t)$  and  $v_O(t)$  for if  $v_A(t) = 5\sin\omega t$ ,  $v_B(t) = -3\sin\omega t$ ,  $V_S = 4 \text{ V}$ .



## Preamble

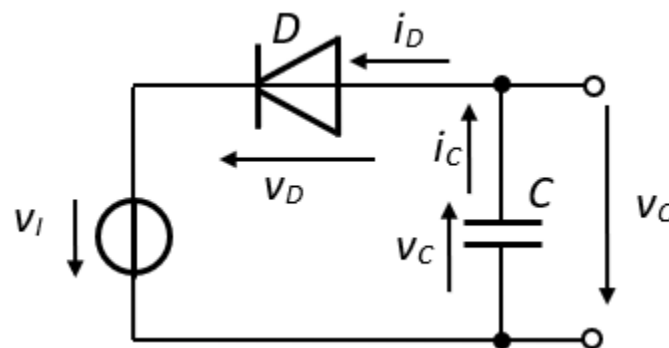
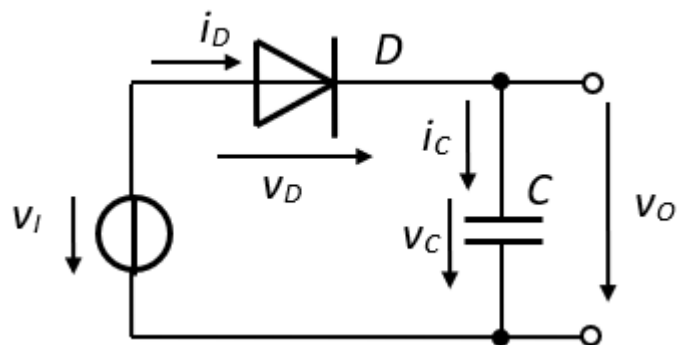
The steady-state properties (i.e. the **VTC**) of two-port DC networks **are of no interest** in applications.

The focus is on the **time-domain behavior** – how does  $v_O$  look for variable  $v_I$ ?



The **analysis** of switching two-port DC networks works with the **constant voltage drop model** of the diode.

## ➤ Temporal extreme two-port DC networks



Output voltage – measured across the capacitor

Based on the states of the diodes, there are two possible cases:

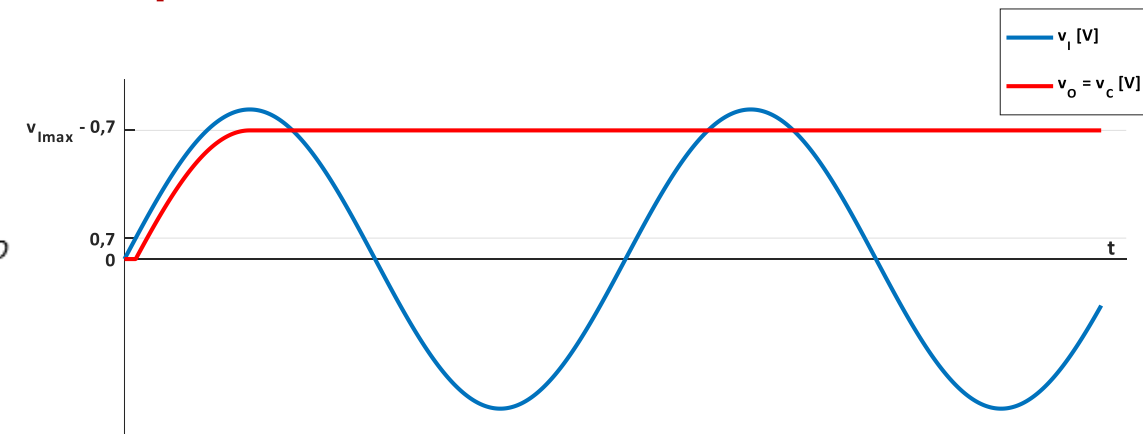
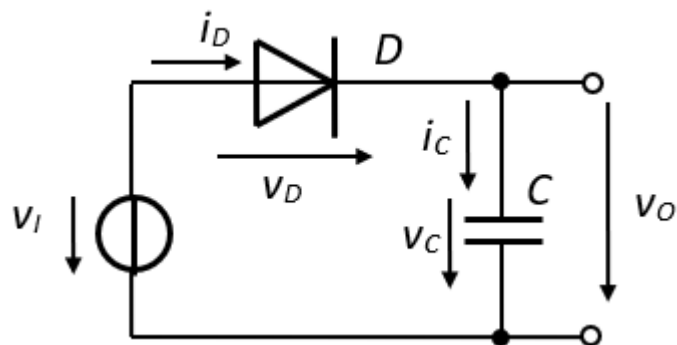
1. If  $v_D$  tends to be  $> 0.7$  V, D – (on)

$v_D = 0.7$  V,  $i_C(t) > 0$ ,  $v_C(t)$  increases (C charges)

2. If  $v_D < 0.7$  V, D – (off)

$i_C(t) = 0$       $v_C(t) = \text{constant}$

➤ Temporal extreme two-port DC networks



$$v_D(t) = v_I(t) - v_O(t)$$

$$v_O(t) = v_C(t)$$

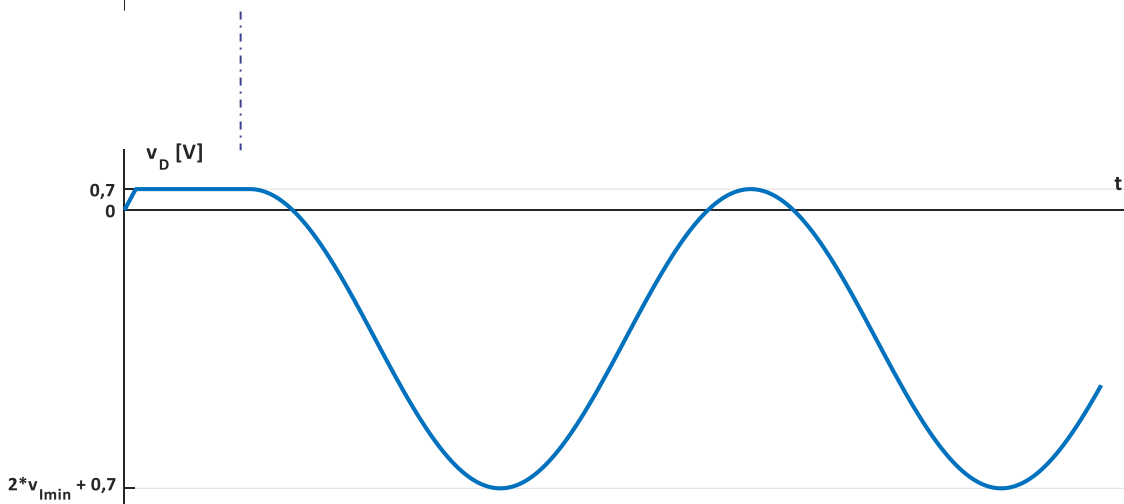
$$v_D = 0.7 \text{ V}$$

$$v_C(t) = v_I(t) - 0.7 \text{ V}$$

$$v_{Cmax} = v_{Imax} - 0.7 \text{ V} > 0$$

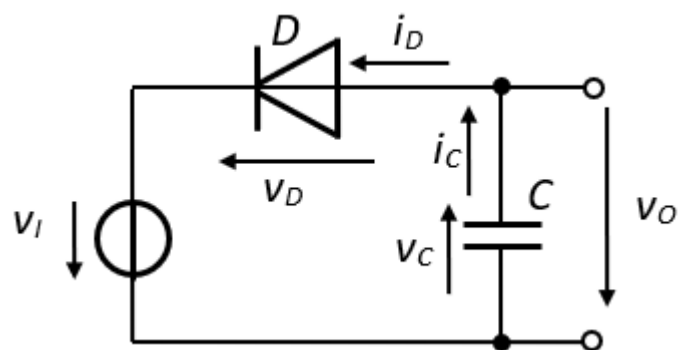
$$v_D(t) = v_I(t) - v_{Cmax} < 0.7 \text{ V}$$

$$v_O(t) = v_{Cmax} = \text{constant}$$



Application: Positive peak detector

➤ Temporal extreme two-port DC networks



$$v_D(t) = v_O(t) - v_I(t)$$

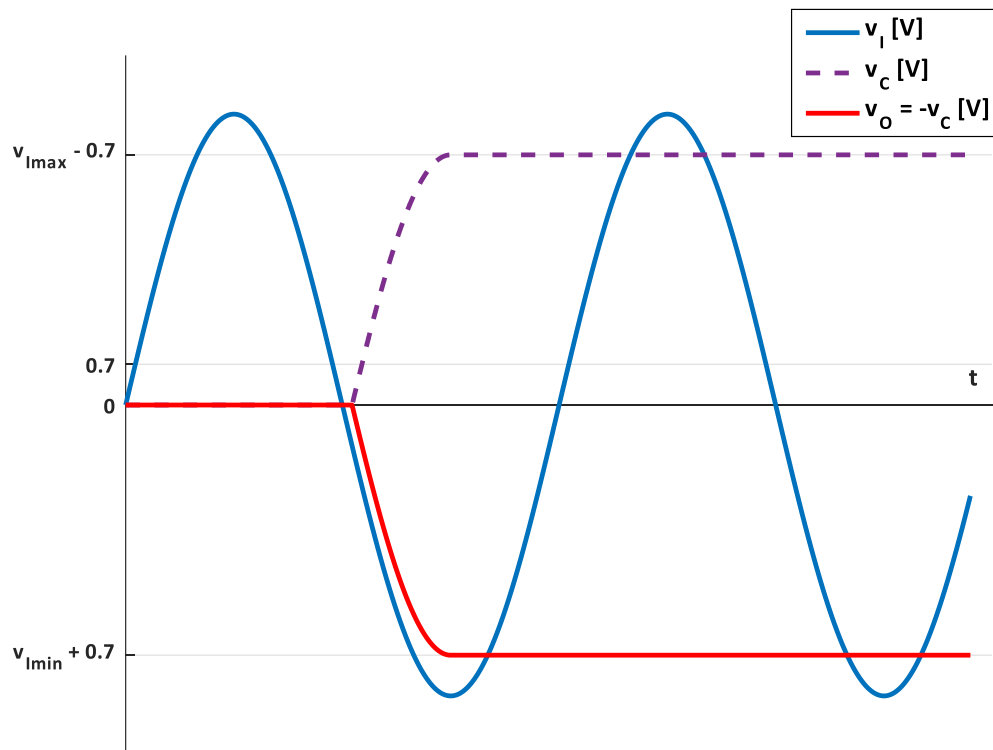
$$v_O(t) = -v_C(t)$$

$$v_D = 0.7 \text{ V}$$

$$v_C(t) = -v_I(t) - 0.7 \text{ V}$$

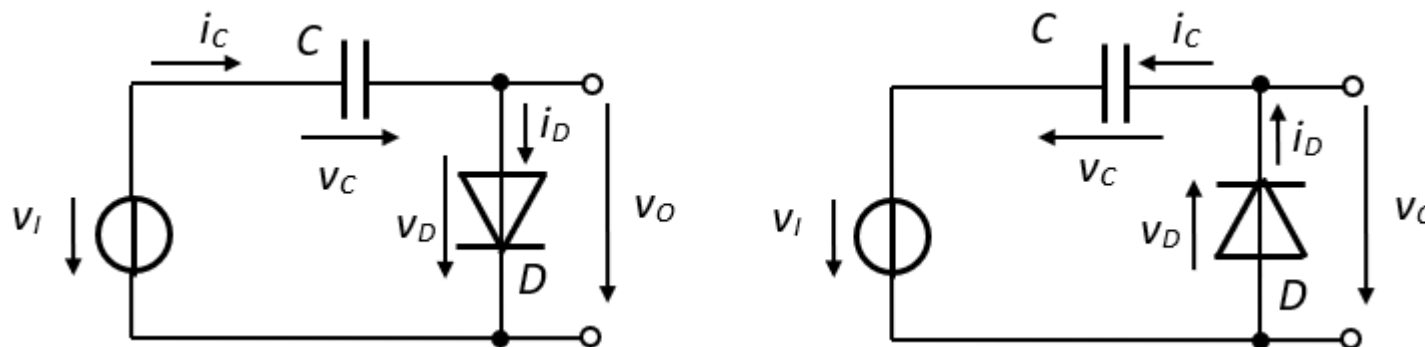
$$v_{Cmax} = -v_{Imin} - 0.7 \text{ V} > 0$$

$$v_O(t) = -v_{Cmax} = \text{constant}$$



Application: Negative peak detector

➤ Translation two-port DC networks



Output voltage – measured across the diode

Based on the states of the diodes, there are two possible cases:

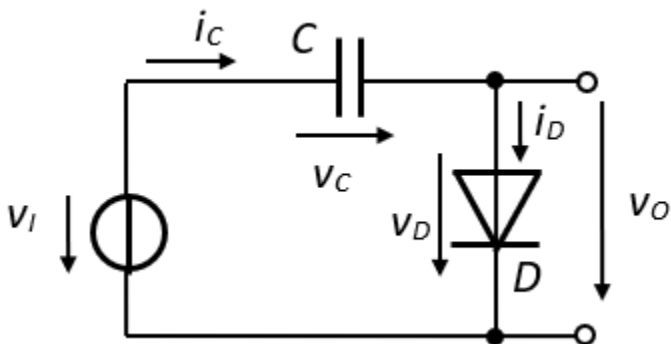
1. If  $v_D$  tends to be  $> 0.7\text{ V}$ , D – (on)

$v_D = 0.7\text{ V}$ ,  $i_C(t) > 0$ ,  $v_C(t)$  increases (C charges)

2. If  $v_D < 0.7\text{ V}$ , D – (off)

$i_C(t) = 0$       $v_C(t) = \text{constant}$

➤ Translation two-port DC networks

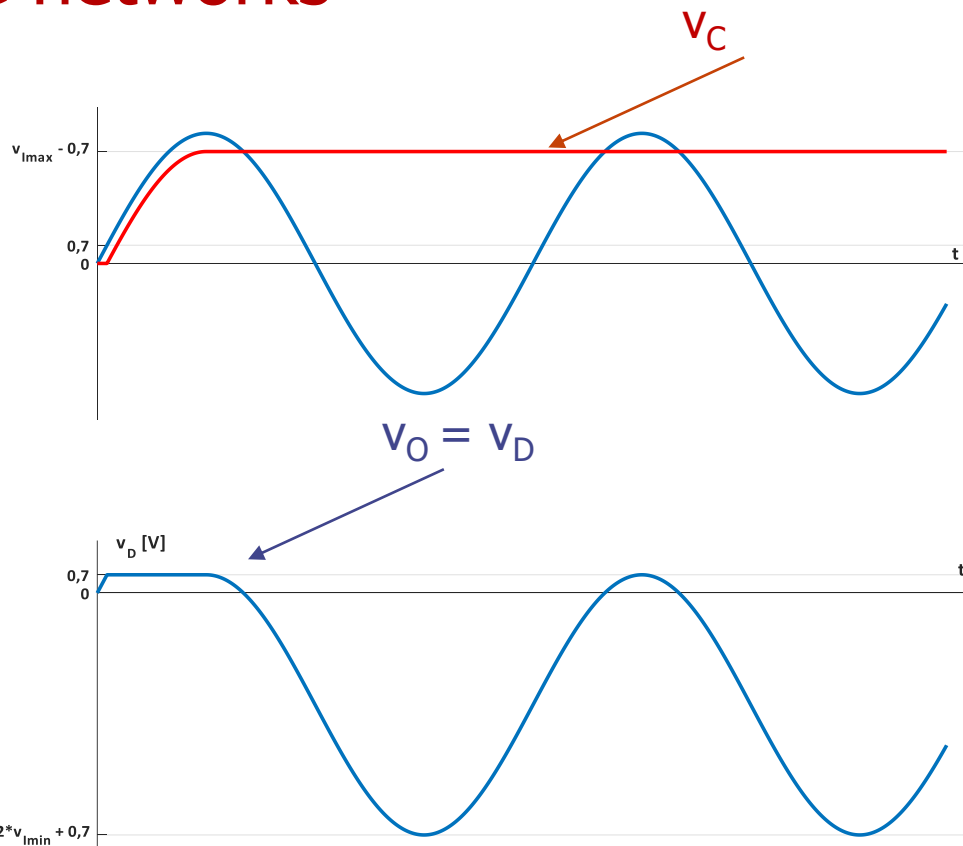


$$v_D(t) = v_I(t) - v_C(t)$$

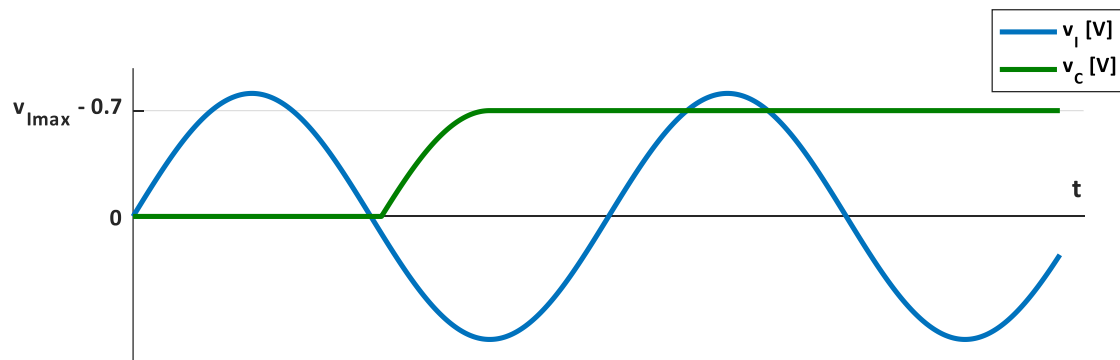
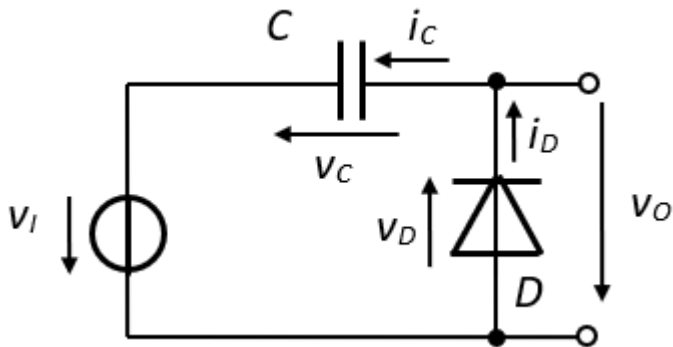
$$v_O(t) = v_D(t) \leq 0.7 \text{ V}$$

Application:

Translation towards negative values (downward)

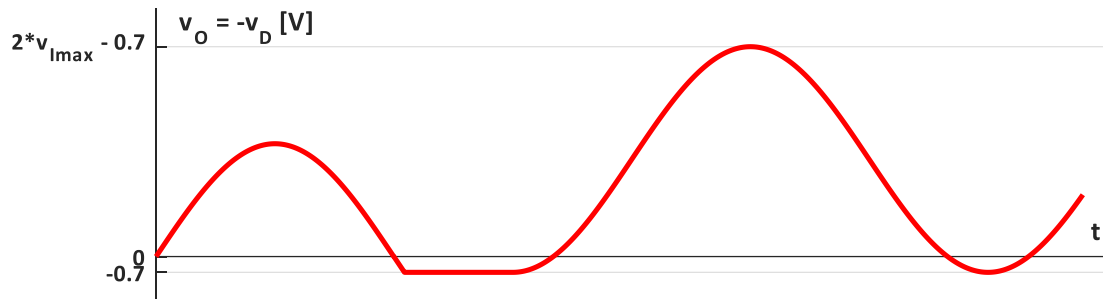


➤ Translation two-port DC networks



$$v_D(t) + v_I(t) + v_C(t) = 0$$

$$v_O(t) = -v_D(t) \geq -0.7 \text{ V}$$



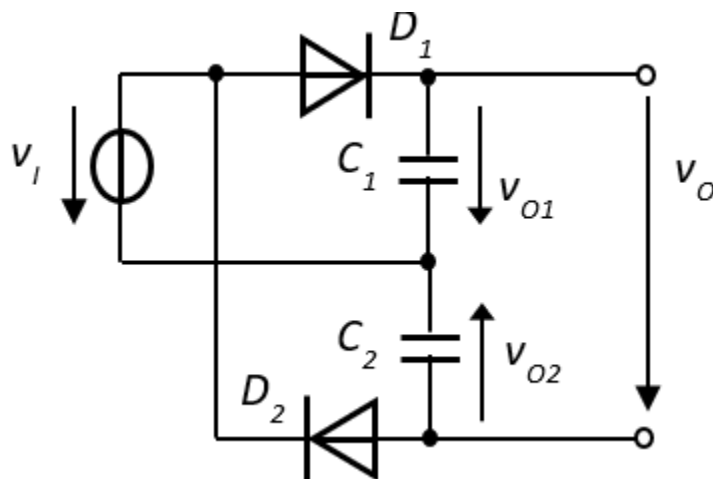
Application:

Translation towards positive values (upward)

## ➤ Voltage doubler

- variable (ac) input voltage
- dc output voltage
- output voltage is (almost) twice the amplitude of the input voltage

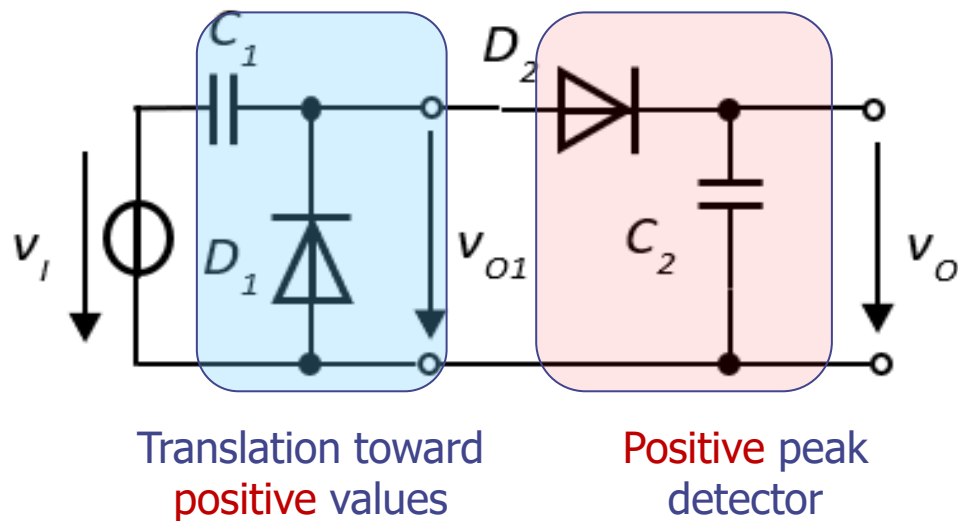
- **Solution 1:** series connection of a **positive** peak detector and a **negative** peak detector (common input)





## ➤ Voltage doubler

- ❑ **Solution 2:** chain connection of an upward translation circuit and a positive peak detector



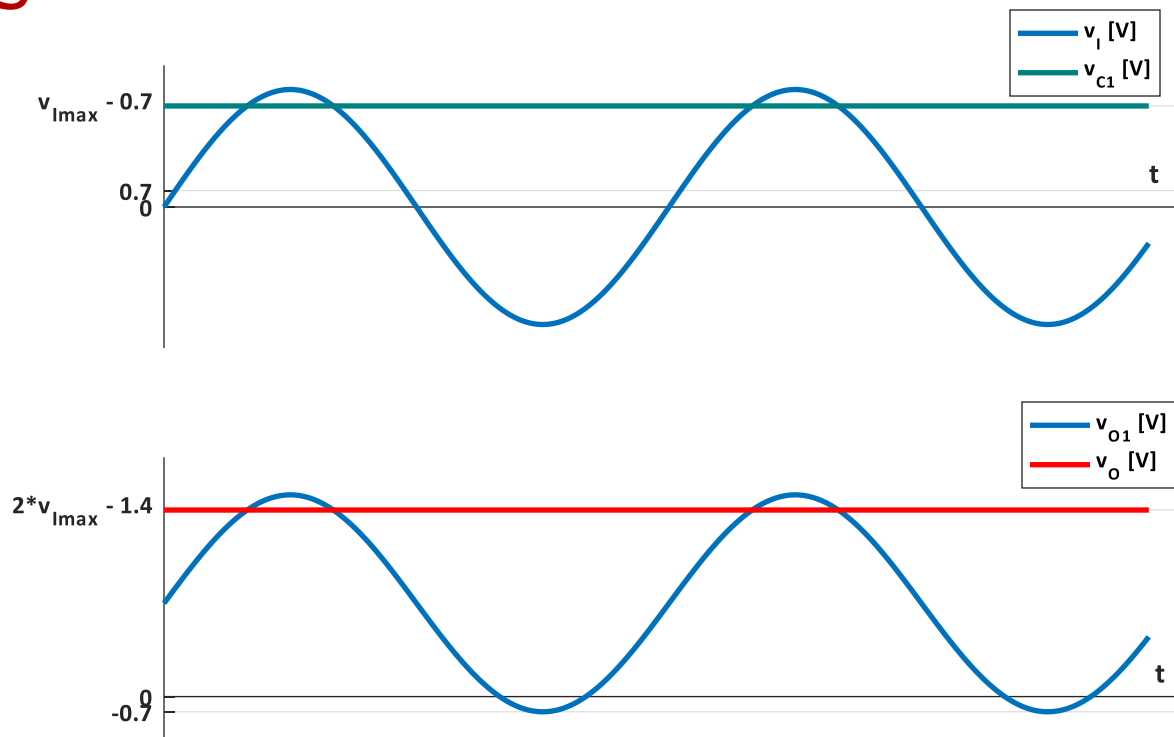
$$v_{O1}(t) = v_i(t) + v_{C_{max}}$$

$$v_{O1max} = v_{I_{max}} + v_{I_{max}} - 0.7 \text{ V}$$

$$v_o = v_{O1max} - 0.7 \text{ V}$$

$$v_o = 2 \cdot v_{I_{max}} - 1.4 \text{ V} = \text{constant}$$

## ➤ Voltage doubler



steady-state waveforms

# Summary

Although the war is not over, today we won the battle against:

- Multi-port DR circuits
  - Maximum multi-port networks
  - Minimum multi-port networks
- Two-port DC switching circuits
  - Positive/negative peak detector
  - Translation networks
  - Voltage doubler

Next week: DR rectifiers. DRC rectifiers. LEDs. Photodiodes.