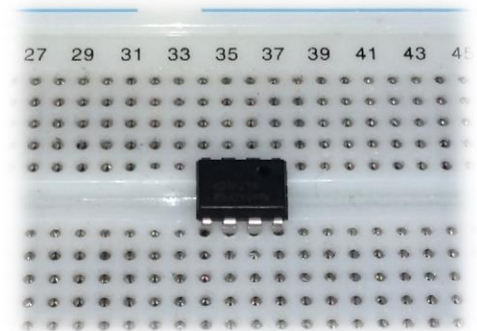




# ELECTRONIC DEVICES

Assist. prof. Laura-Nicoleta IVANCIU, Ph.D.

## C8 – Electronic amplifiers. Amplifiers with OpAmp.



# Contents

## ➤ Electronic amplifiers

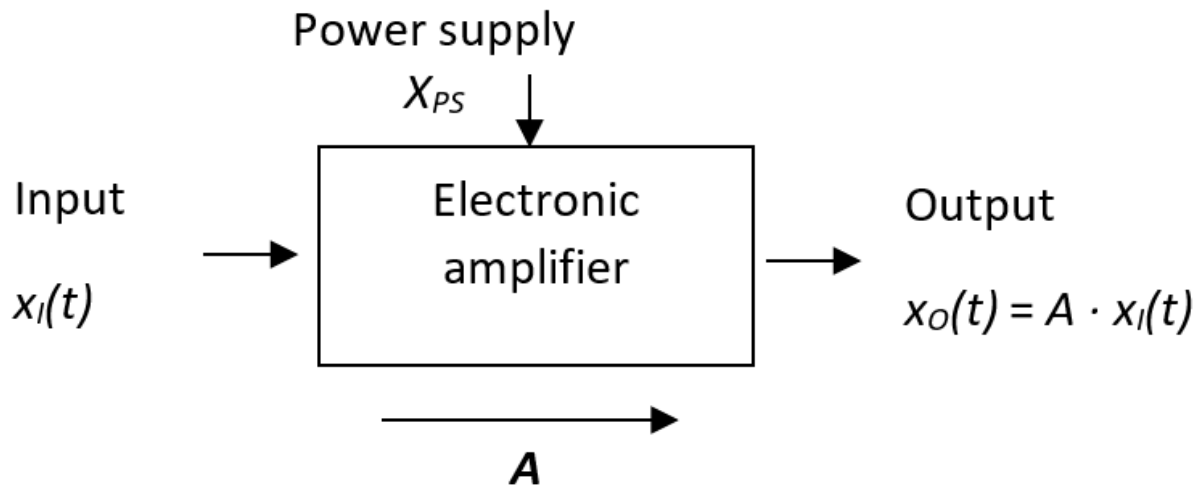
- Types of supply
- Power transfer and power balance
- Types of amplifiers
- Parameters
- Modeling the voltage amplifier

## ➤ Amplifiers with OpAmp

- Non-inverting amplifier
- Inverting amplifier

## Electronic amplifiers

**Amplifier = active three-port network** that delivers an output signal  $x_o(t)$  (voltage or current) with the **same shape** as the input signal  $x_i(t)$  and can provide **more power**, on an adequate load.



$$A = \frac{x_o(t)}{x_i(t)}$$

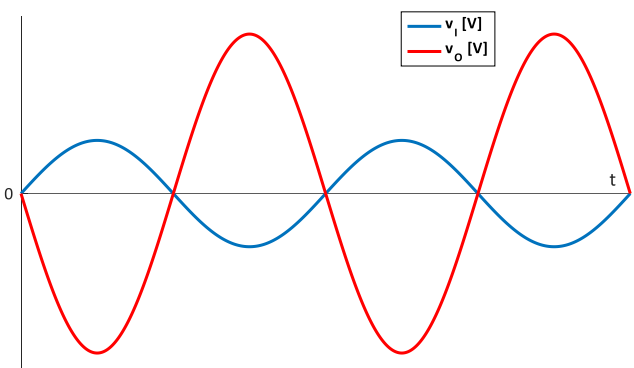
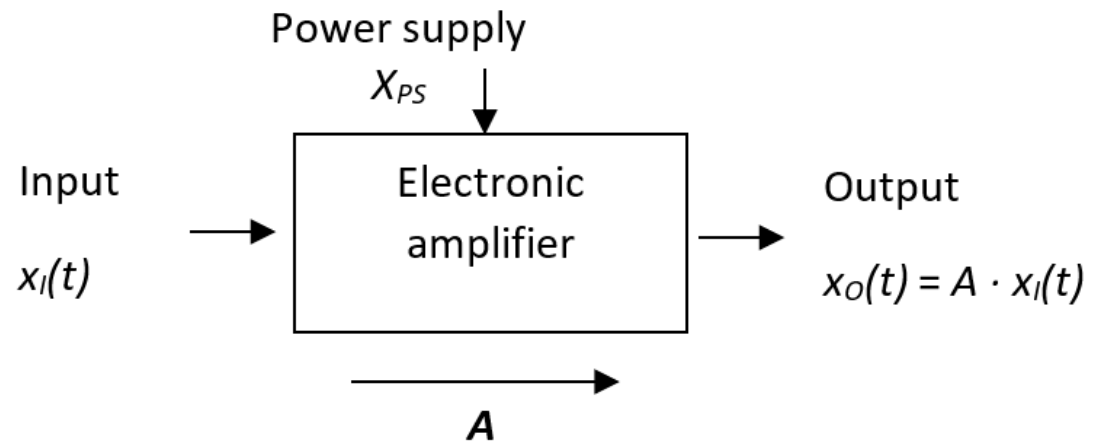
Linear circuit:  $x_o$  proportional with  $x_i$

**A** – gain (amplification)

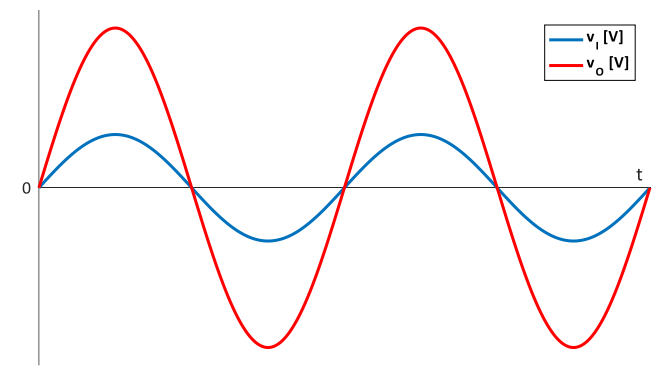
$A < 0$     inverting

$A > 0$     non-inverting

# Electronic amplifiers



Inverting amplifier ( $A < 0$ )

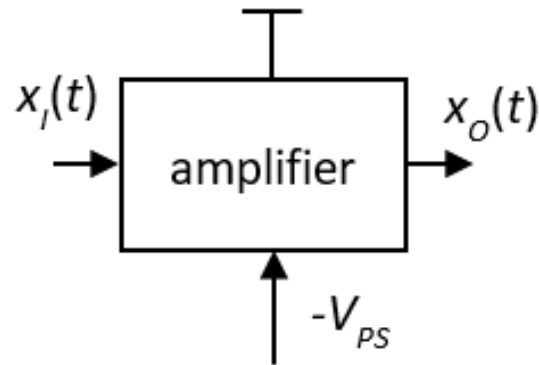
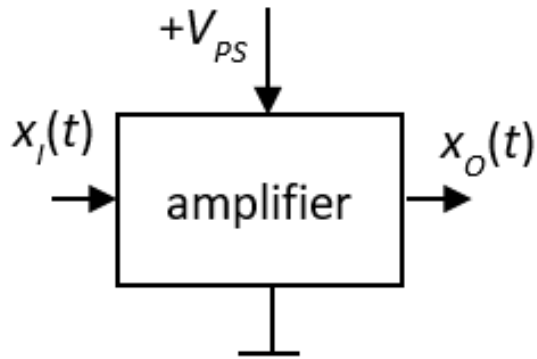


Non-inverting amplifier ( $A > 0$ )

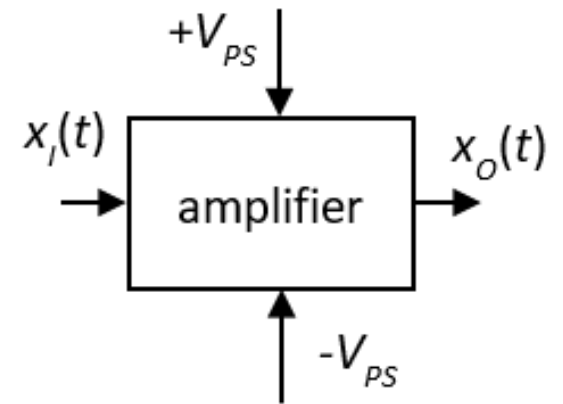
➤ Types of supply

The supply is provided by dc voltage and/or current sources. Voltage sources are most commonly used.

Single source supply



Two source supply  
(symmetric differential)

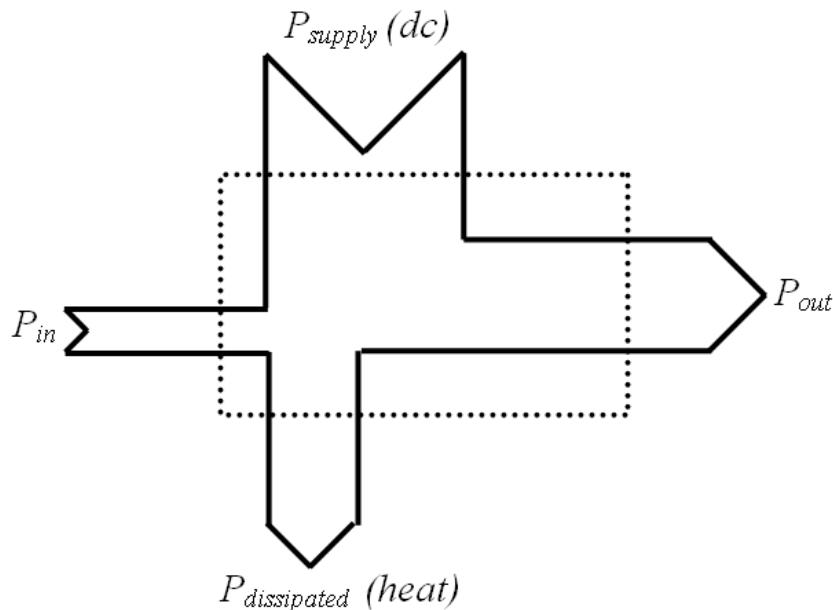


## ➤ Power transfer and power balance

The average power of the output signal is **greater than** the average power of the input signal:

$$P_{\text{out}} > P_{\text{in}}$$

The excess of the output power is taken **from the supply sources**.



$$P_{\text{supply}} + P_{\text{in}} = P_{\text{out}} + P_{\text{dissip}}$$

$$P_{\text{supply}} \approx P_{\text{out}} + P_{\text{dissip}}$$

$$\text{Efficiency: } \eta = P_{\text{out}} / P_{\text{supply}}$$

## ➤ Types of amplifiers

Based on the types of input/output signals (voltage/current):

- voltage amplifier  $A_v = v_o/v_I$  - dimensionless
- current amplifier  $A_i = i_o/i_I$  - dimensionless
- transconductance amplifier  $A_{i/v} = i_o/v_I - [S], [mS]$
- transresistance amplifier  $A_{v/i} = v_o/i_I - [\Omega], [k\Omega]$

## ➤ Amplifier parameters

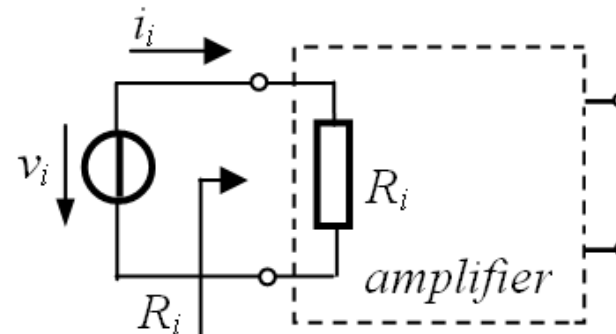
### ▪ Gain (forward transfer factor)

- Analyze the circuit, by using circuit theorems and equation (Kirchhoff, Ohm, Millman)
- Express the output signal as a function of the input signal, then compute the gain

$$A = \frac{x_o(t)}{x_i(t)}$$

### ▪ Input resistance

$$R_i = \frac{v_i}{i_i}$$



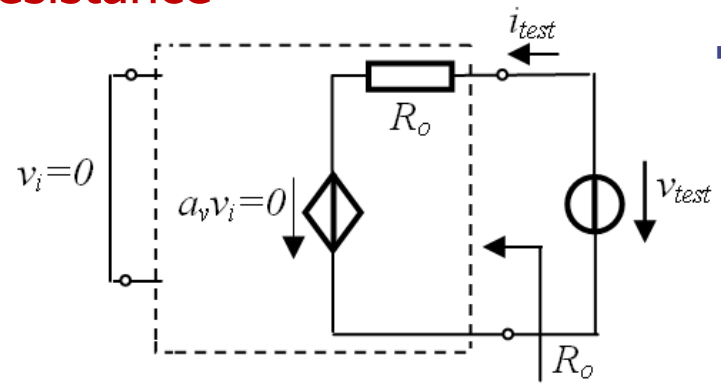


➤ Amplifier parameters

■ Output resistance

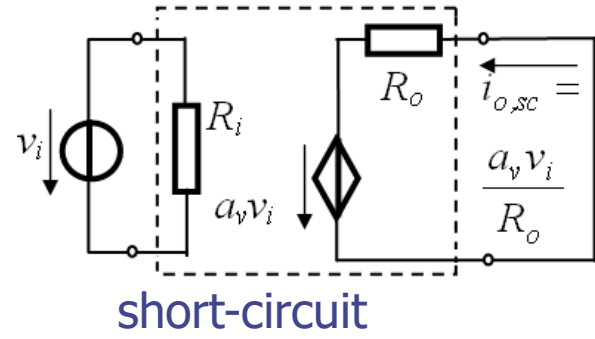
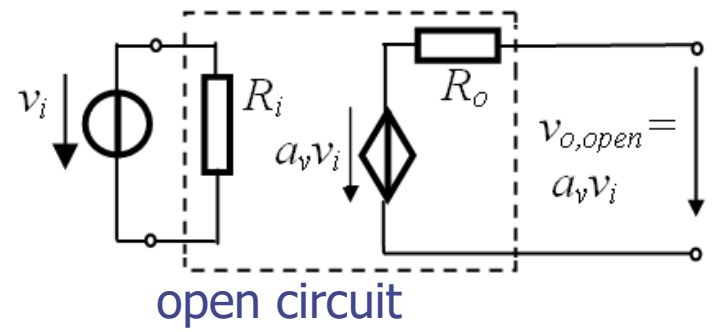
- Set the input signal source to zero
- Connect a test source at the output

#1



$$R_o = \frac{v_{test}}{i_{test}}$$

#2



$$R_o = \frac{v_{o,open}}{i_{o,sc}}$$

## ➤ Amplifier parameters

- Active region – range of values for  $v_I$  for which the output preserves the shape of the input (no clipping/saturation)

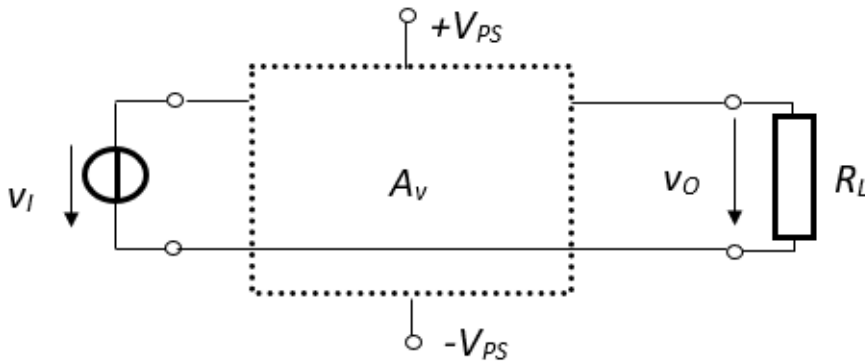
- ideal amplifier:  $V_{OL} = -V_{PS} ; V_{OH} = +V_{PS}$

- general-purpose OpAmp  $v_O \in (-V_{PS} + 1V \dots 2V ; +V_{PS} - 1V \dots 2V)$

- rail-to-rail OpAmp:  $v_O \in (-V_{PS} ; +V_{PS})$

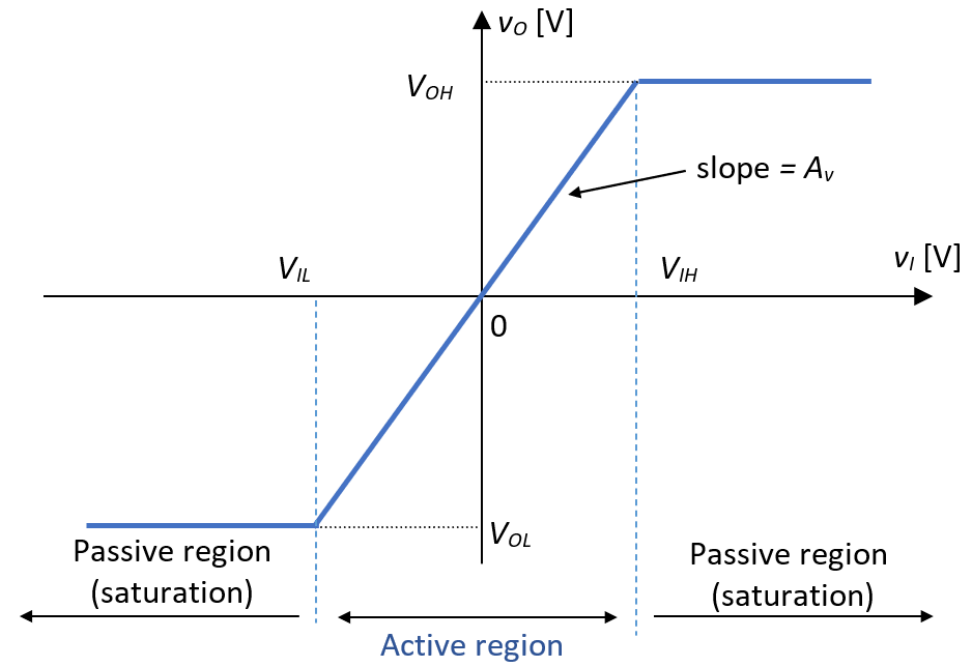
## ➤ Amplifier parameters

- Active region – differential supply



$$v_I \in \left( \frac{V_{OL}}{A_v}; \frac{V_{OH}}{A_v} \right);$$

$$v_O \in (V_{OL}; V_{OH})$$

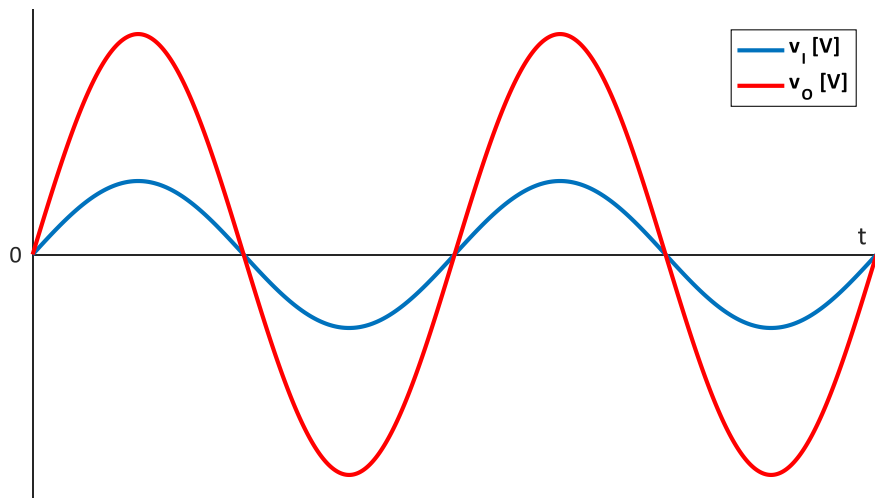


➤ Amplifier parameters

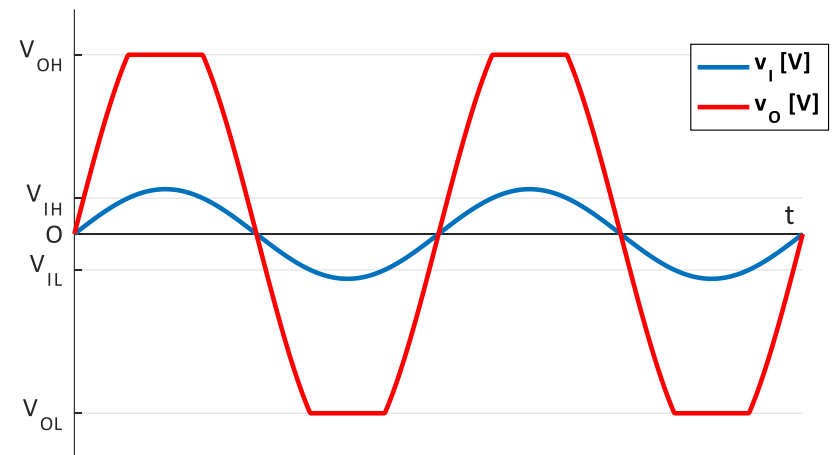
- Active region – differential supply

Waveforms for input in

active region

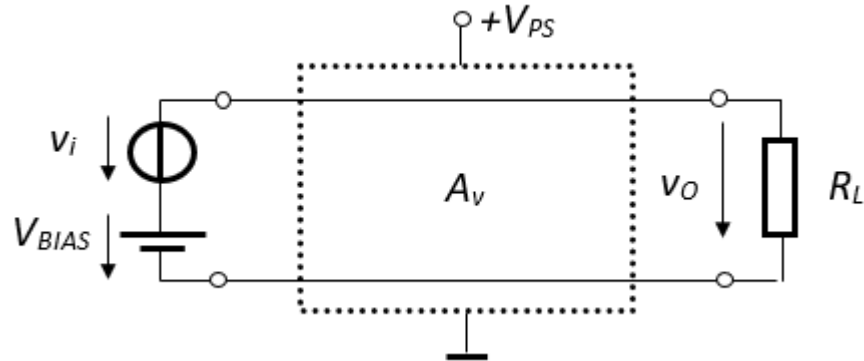


active and passive (saturation)



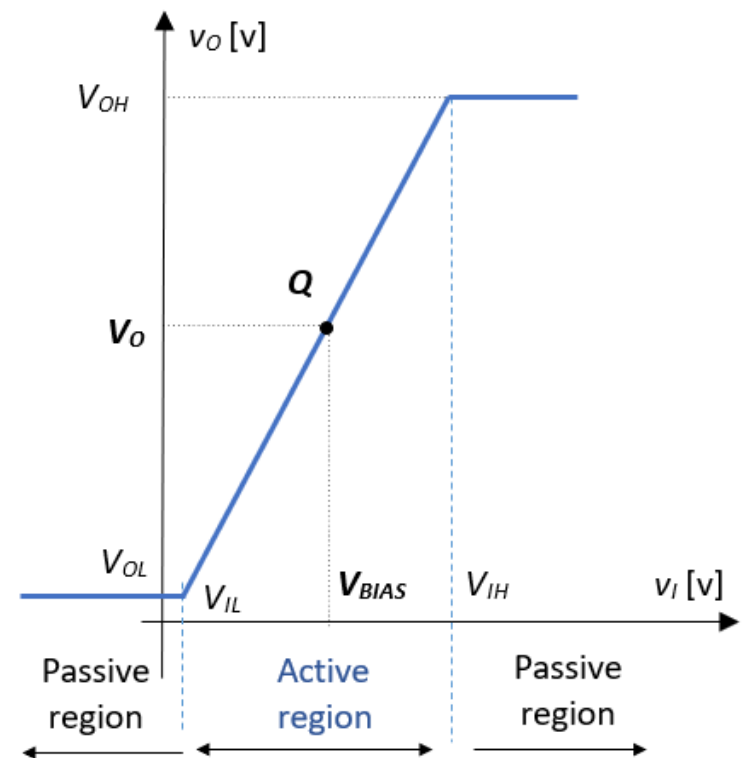
## ➤ Amplifier parameters

- Active region – unipolar supply



$$v_I \in \left( \frac{V_{OL}}{A_v}; \frac{V_{OH}}{A_v} \right);$$

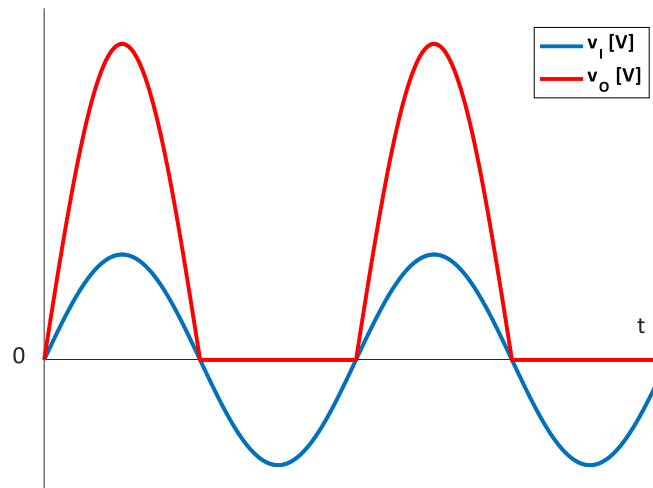
$$v_O \in (V_{OL}; V_{OH})$$



## ➤ Amplifier parameters

- Active region – unipolar supply

Waveforms for input in active region



## ➤ Modeling the voltage amplifier

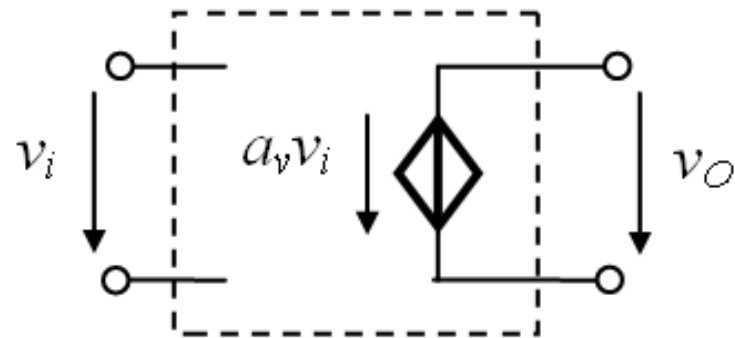
- **two-port** networks: only the behavior of the **input** and **output** ports is explicitly taken into account, and the **input-output signal transfer**
- valid **regardless of the internal complexity** of the amplifiers
- valid in the **bandpass** frequency domain

### Linear controlled sources

- active two-port network
- only one finite, non-zero parameter: forward transfer parameter (gain)
- the output signal is **controlled** by the input signal
- pseudo-sources

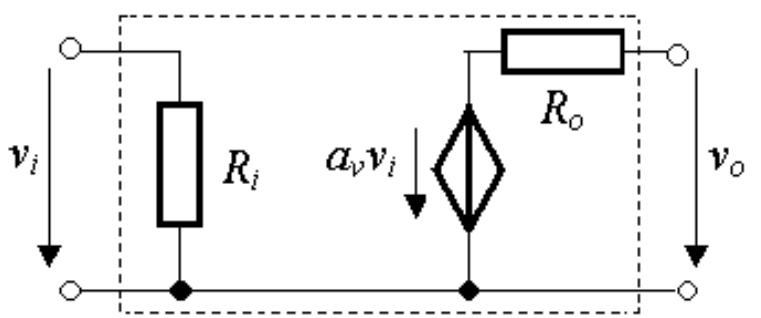
**VCVS** (voltage controlled voltage source)

$$v_O = a_v v_i$$



➤ Modeling the voltage amplifier

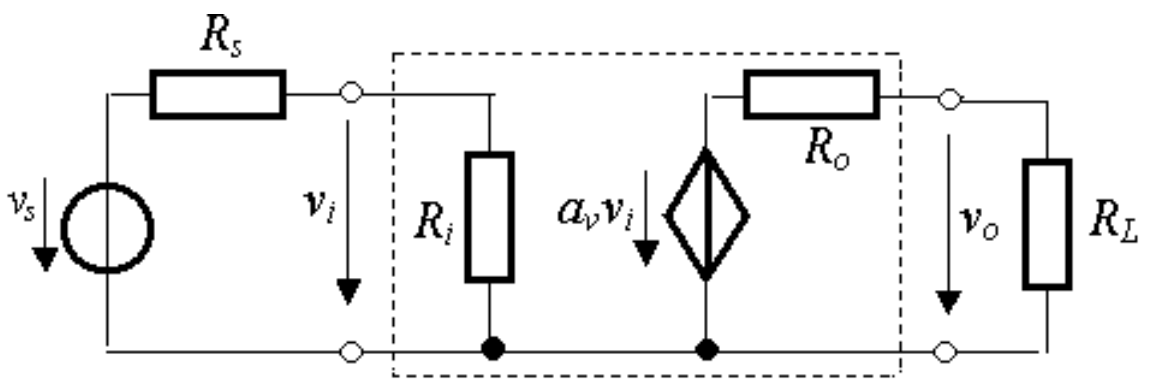
Amplifier model



$$a_v = \frac{v_o}{v_i}$$

$a_v$  – open circuit gain  
 $R_i$  – draws current from  $v_i$   
 $R_o$  – deteriorates  $v_o$  in the presence of load

Amplifier model connected in a circuit



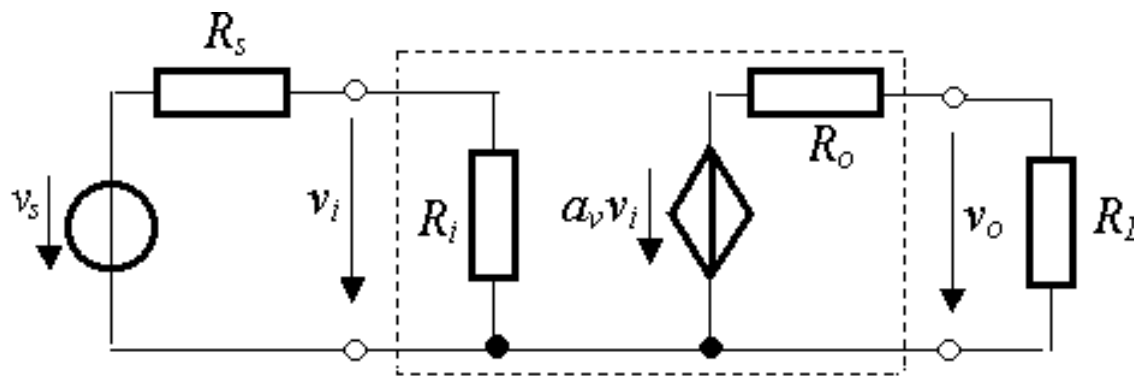
$$A_v = \frac{v_o}{v_s}$$

$$A_v = \frac{R_i}{R_s + R_i} \frac{R_L}{R_L + R_o} a_v$$

Ideal amplifier?



➤ Modeling the voltage amplifier



$$A_v = \frac{v_o}{v_s}$$

$$A_v = \frac{R_i}{R_s + R_i} \frac{R_L}{R_L + R_o} a_v$$

$A_v$  is closer to the open circuit gain  $a_v$  when the voltage losses at the input (across  $R_s$ ) and at the output (across  $R_o$ ) are reduced.

- $R_i \gg R_s$  – the source voltage is transferred to the input

$$v_i \approx v_s$$

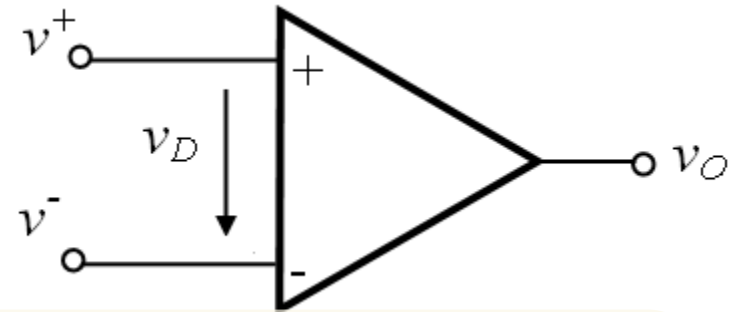
- $R_o \ll R_L$  – the voltage of the VCVS is transferred to the output

$$v_o \approx a_v v_i$$

Ideal voltage amplifier:  $R_i = \infty$ ;  $R_o = 0$

## Amplifiers with OpAmp

$$v_O = a v_D = \infty \cdot v_D$$



I. Utilization as **comparator**, in switching mode

$$v_O \in \{V_{OL}; V_{OH}\}$$

**C6 + C7**

$v_D > 0$ ,  $v_O \rightarrow +\infty$ ,  $v_O$  limited by the positive supply  $v_O = V_{OH} \approx +V_{PS}$

$v_D < 0$ ,  $v_O \rightarrow -\infty$ ,  $v_O$  limited by the negative supply  $v_O = V_{OL} \approx -V_{PS}$

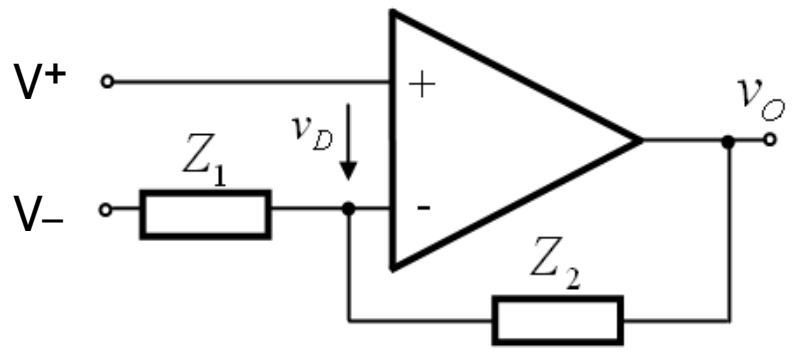
II. Utilization as **amplifier**

$$v_O \in (V_{OL}; V_{OH})$$

It is mandatory that  $v_D = 0$ , so then  $v_O = a \cdot v_D = \infty \cdot 0$  – indeterminate

$v_D$  is kept at 0 by means of external components (R) arranged in a negative feedback (**NF**) configuration

# Amplifiers with OpAmp



$$v_O = a v_D$$

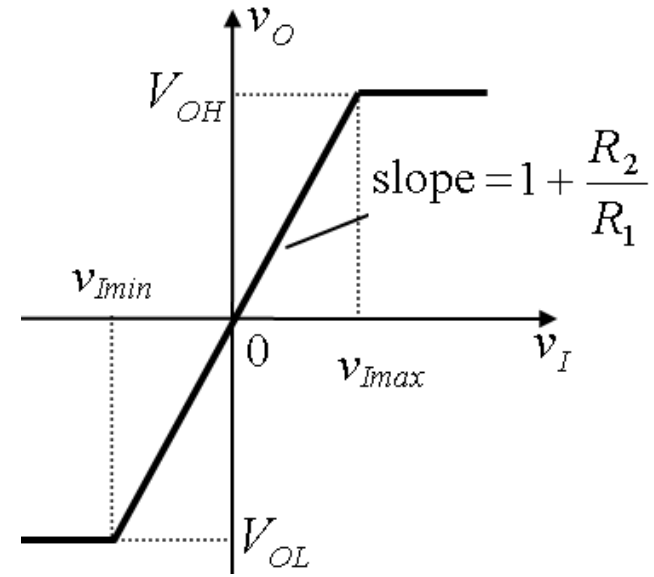
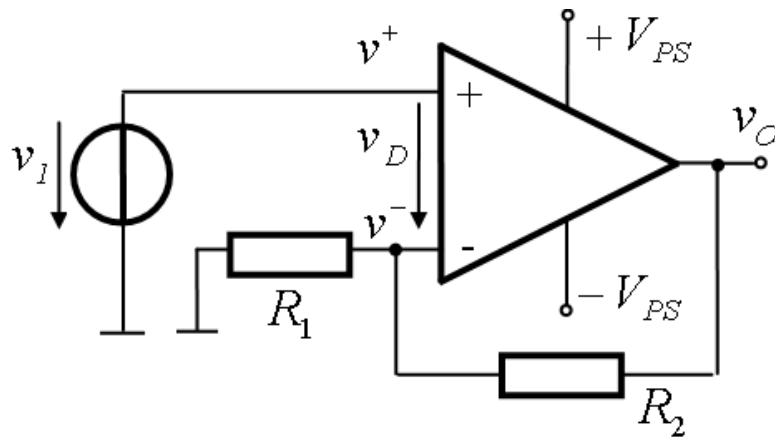
$a \rightarrow \infty$  for ideal op-amp

$$v_D = 0 \quad \underline{v_D \uparrow}, v_O \uparrow, v^- \uparrow, \underline{v_D \downarrow}$$

**NF** automatically keeps  $v_D$  at zero

$v^+$	$v^-$	Amplifier
$v_I$	ground	non-inverting
ground	$v_I$	inverting
$v_{I1}$	$v_{I2}$	differential

➤ Non-inverting amplifier

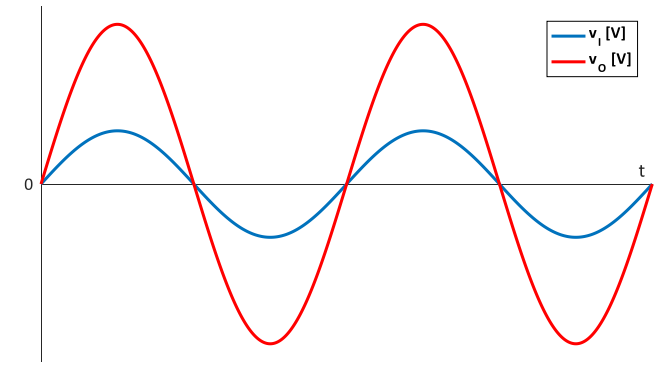


$$v^- = \frac{R_1}{R_1 + R_2} v_O$$

$$v_D = v^+ - v^- = v_I - \frac{R_1}{R_1 + R_2} v_O = 0$$

$$v_I = \frac{R_1}{R_1 + R_2} v_O$$

$$A_v = \frac{v_O}{v_I} = 1 + \frac{R_2}{R_1}$$



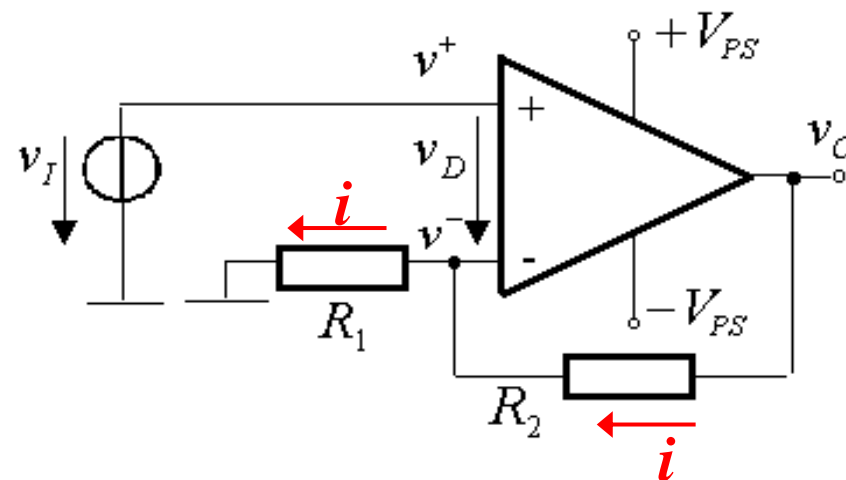
## ➤ Non-inverting amplifier

Alternative method for computing  $A_v$

$$\left. \begin{array}{l} v_D = 0 \\ v^+ = v_I \end{array} \right\} \Rightarrow v^- = v_I$$

The same current goes through  $R_1$  and  $R_2$

$$\frac{v_I}{R_1} = \frac{v_O - v_I}{R_2} \quad A_v = \frac{v_O}{v_I} = 1 + \frac{R_2}{R_1}$$

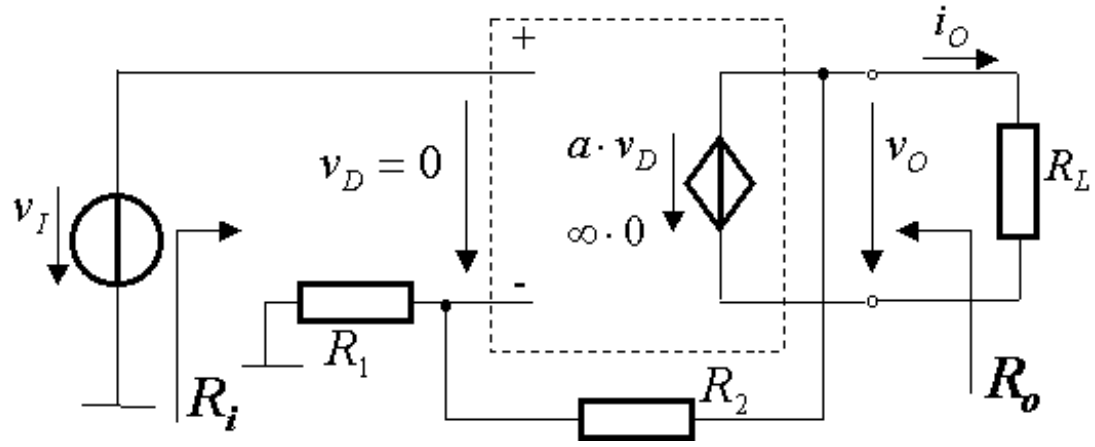


Direct consequences of NF for an OpAmp with very high intrinsic gain ( $a \rightarrow \infty$  for ideal op-amp):

- gain is set only by the **ratio of two resistors** (external components)
- the gain value: **precise and stable**
- the gain is **independent of the OpAmp**, it is not influenced by the technological spread of the OpAmp's parameters

➤ Non-inverting amplifier

Input and output resistances



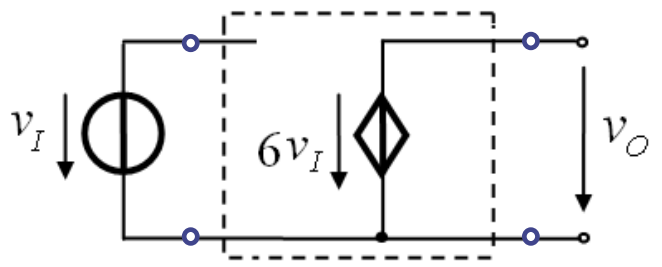
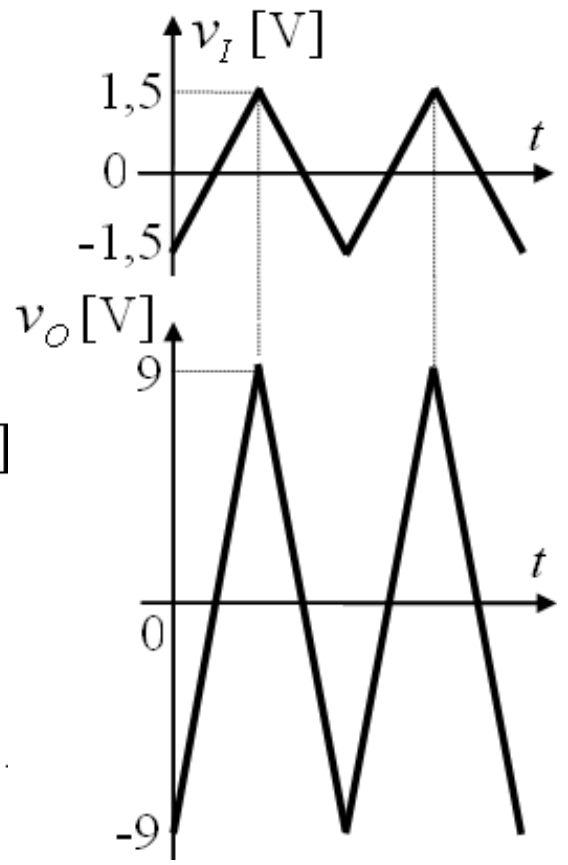
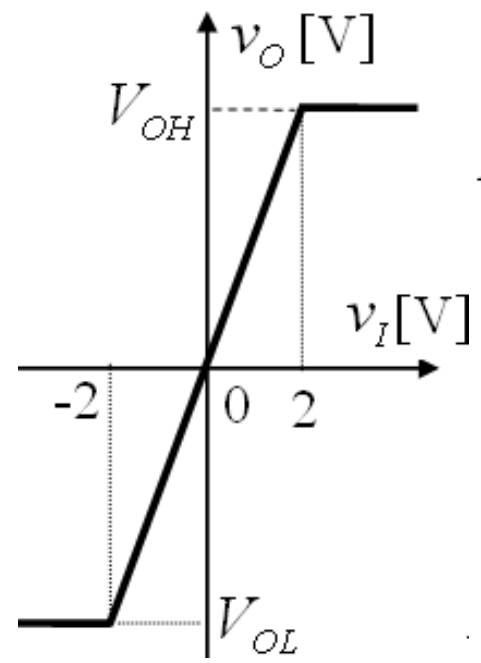
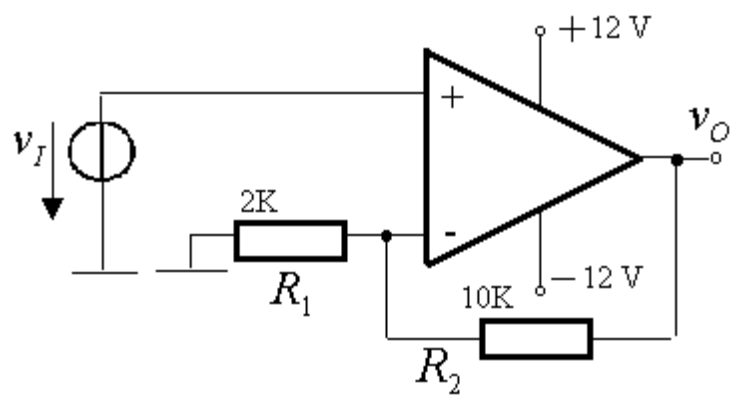
Computed on the equivalent model

$v_I$  sees an open circuit, so  $R_i = \infty$

$$R_o = \frac{v_{O_{open}}}{i_{O_{sc}}} = \frac{v_{O_{open}}}{\infty} = 0$$

➤ Non-inverting amplifier

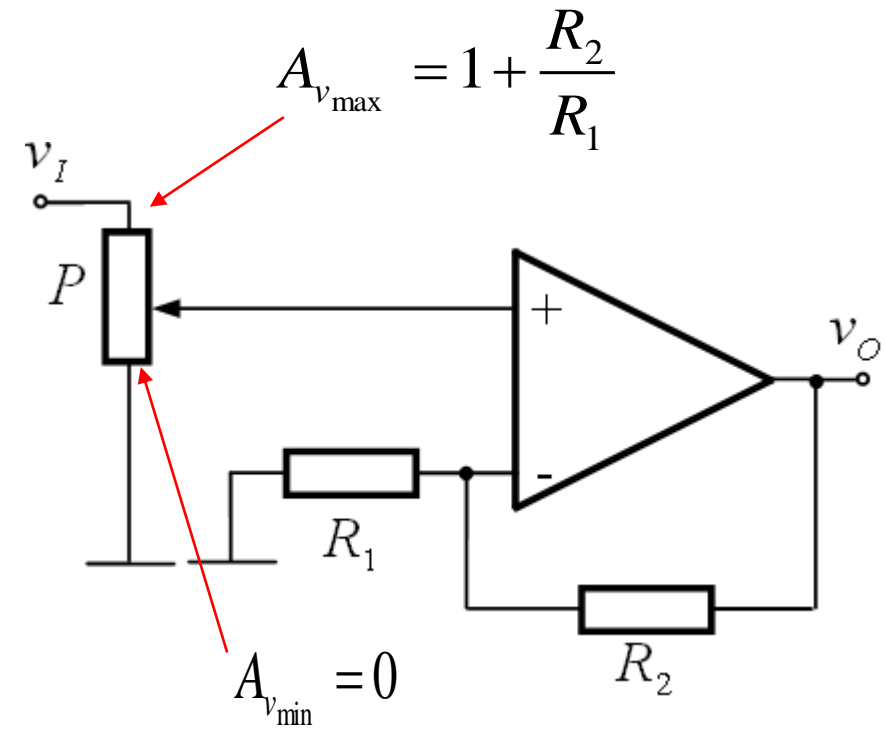
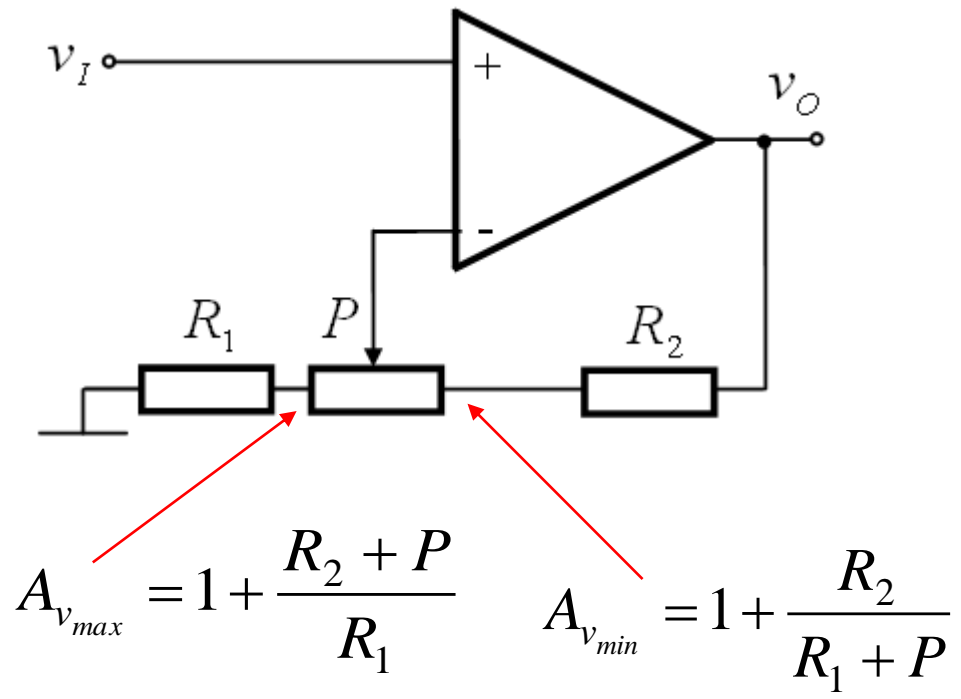
Example



- $v_O(t)$  for triangular  $v_I(t)$ , 3 V amplitude

➤ Non-inverting amplifier

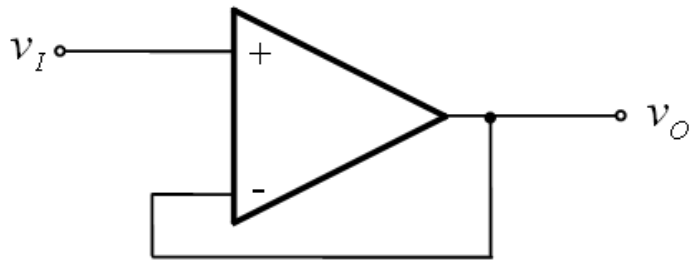
Adjustable gain





## ➤ Non-inverting amplifier

### Voltage follower



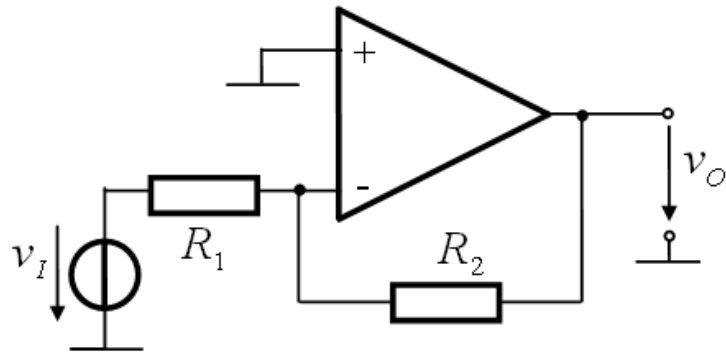
$$v_O = v_I$$

the output voltage **follows**  
the input voltage

- total (full) NF
- no voltage gain ( $A_v = 1$ )
- infinite current gain ( $A_i = \infty$ )

Voltage followers are used as a **buffer stages** between a source (or the output of a circuit) with **high  $R_O$**  (can only supply low current) to a **low  $R_L$**  (needs high current) – impedance matching.

➤ Inverting amplifier

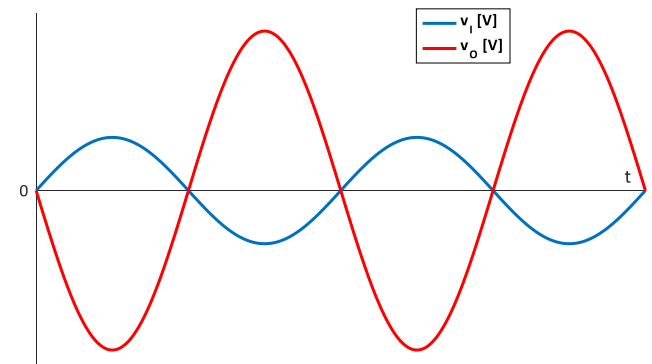
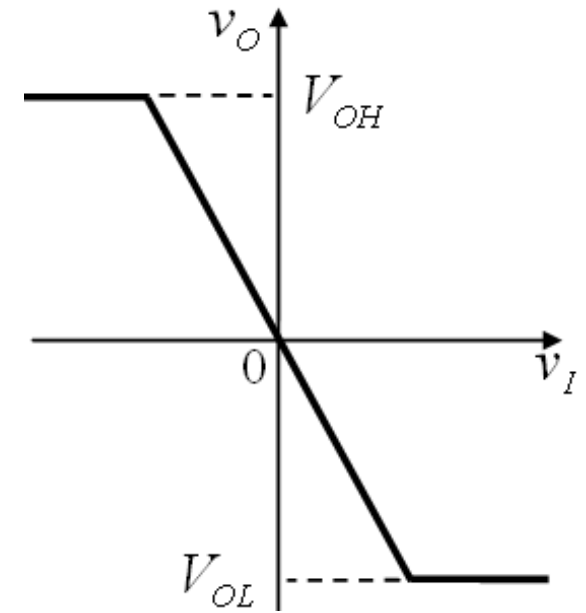


$$v^+ = 0$$

$$v^- = \frac{R_2}{R_1 + R_2} v_I + \frac{R_1}{R_1 + R_2} v_O$$

$$v_D = v^+ - v^- = 0 - \frac{R_2}{R_1 + R_2} v_I - \frac{R_1}{R_1 + R_2} v_O = 0$$

$$A_v = \frac{v_O}{v_I} = -\frac{R_2}{R_1}$$



## ➤ Inverting amplifier

Alternative method for computing  $A_v$

$$NF \Rightarrow v_D = 0$$

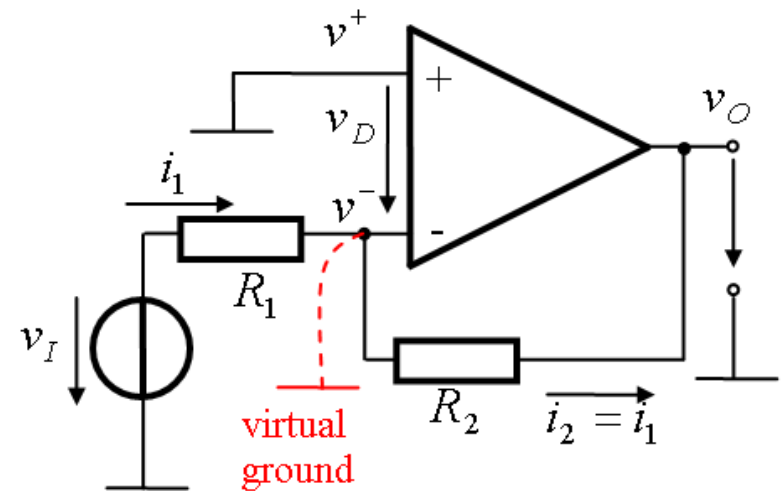
$$\begin{aligned} v^+ &= v^- \\ v^+ &= 0 \end{aligned} \Rightarrow v^- = 0$$

virtual ground

$$i_1 = i_2 \quad i_1 = \frac{v_I - 0}{R_1} \quad i_2 = \frac{0 - v_O}{R_2}$$

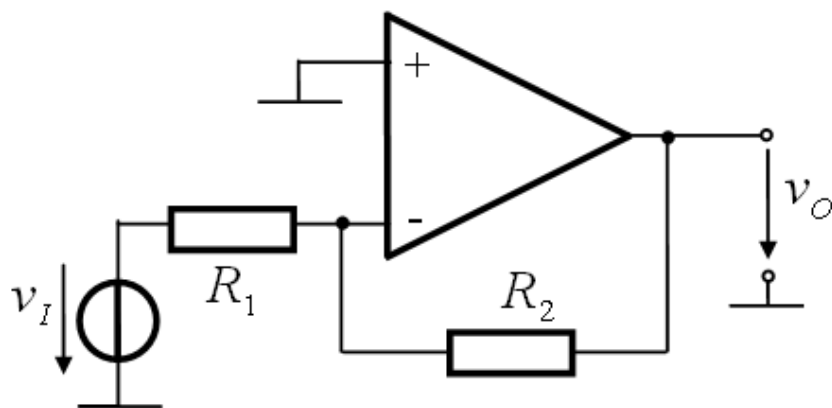
$$\frac{v_I}{R_1} = -\frac{v_O}{R_2}$$

$$A_v = \frac{v_O}{v_I} = -\frac{R_2}{R_1}$$



## ➤ Inverting amplifier

### Input and output resistances



The input source “sees” only  $R_1$  (the inverting input is virtual ground)

$$R_i = R_1$$

$$R_o = 0$$

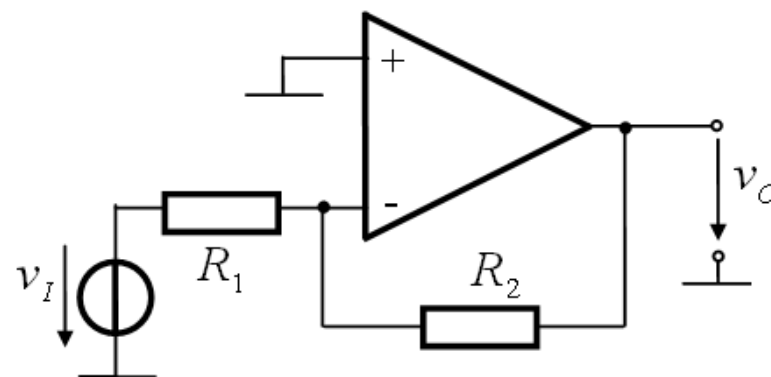
- Noninverting amplifier:  $R_i \rightarrow \infty$
- Inverting amplifier:  $R_i \rightarrow$  finite (units, tens of  $k\Omega$ )

## ➤ Inverting amplifier

### Example

$R_1 = 10\text{ K}$ ,  $R_2 = 100\text{K}$ , supply  $\pm 12\text{ V}$

- ✓ Compute  $R_i$ ,  $R_o$ ,  $A_v$
- ✓ Find  $v_I$  range for active region
- ✓ Plot VTC for  $v_I$  in  $[-5, 5]$ .
- ✓ Plot  $v_I$  and  $v_O$  for  $v_I$  – sinewave, 1 V and then 2 V amplitude.



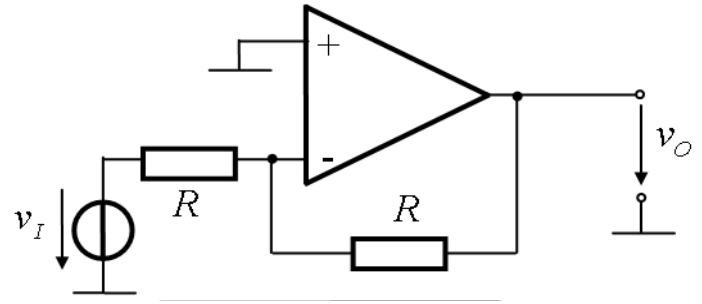
$$R_i = R_1 = 10\text{k} \quad A_v = -\frac{R_2}{R_1} = -\frac{100}{10} = -10$$

$$R_o = 0$$

$v_I$  range:  $(-1.2\text{V}; +1.2\text{V})$

➤ Inverting amplifier

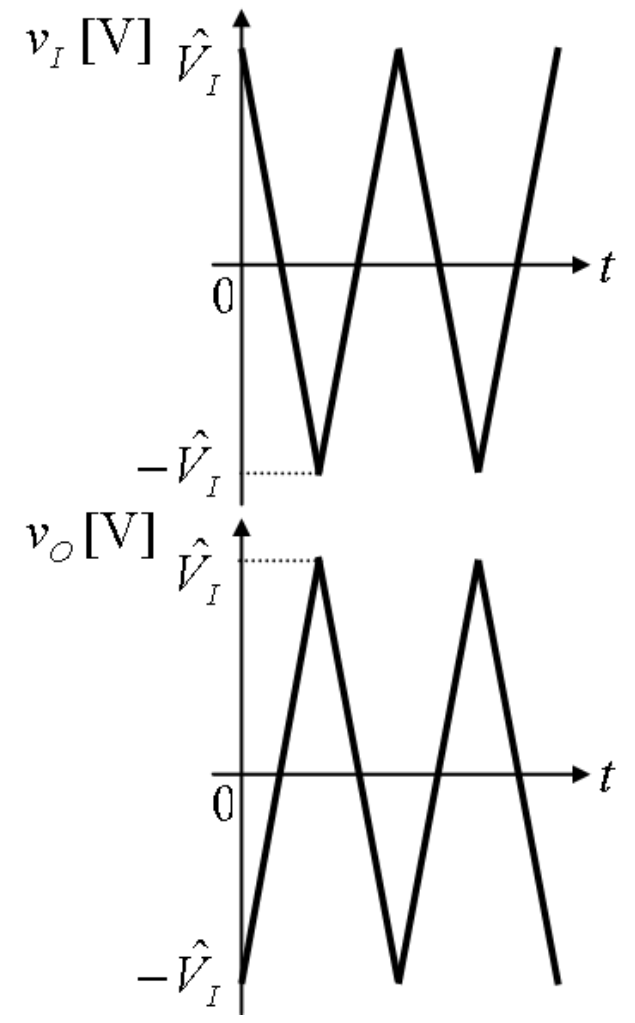
Voltage follower



$$v_O = -v_I$$

$$A_v = \frac{v_O}{v_I} = -1$$

$$R_i = R$$



# Summary

The *little black bug* (OpAmp) is also able to make:

- Electronic amplifiers
- Amplifiers with OpAmp
  - Non-inverting amplifier
  - Inverting amplifier

**Next week:** Summing and differential amplifiers with OpAmp.